Abstract—Text mining techniques are generally applied for classifying the text, finding fuzzy relations and structures in data sets. This research provides plenty text mining capabilities. One common application is text classification and event extraction, which encompass deducing specific knowledge concerning incidents referred to in texts. The main contribution of this paper is the clarification of a concept graph generation mechanism, which is based on a text classification and optimal fuzzy relationship extraction. Furthermore, the work presented in this paper explains the application of fuzzy relationship extraction and branch and bound (BB) method to simplify the texts.

Keywords—Extraction, Max-Prod, Fuzzy Relations, Text Mining, Memberships, Classification.

I. INTRODUCTION

THIS paper aims to use text-mining techniques to classify the text and extract optimal fuzzy relationship from query with reasonably high classification accuracy. In the expression Text Mining, concerned with information learning from pre-processed text. In this research we address a problem to classify the query, extract events, which are also extensively applied within the domain of the query [2], [6], [19]. There is an increasing interest in text mining, text classification and fuzzy relationship extraction strategies applied due to the increasing number of electronically available publications stored in databases [3], [6], [15], [16]. While many of the categories do in fact refer to define keywords that are important words in a document and meant to indicate the topic or the contents of the query [1], [17]. It is also proposed that text mining should make the task easier and less time-consuming [1]-[3]. However, to date, most research in this area has focused on developing objective performance metrics for comparing different text mining systems [4], [18]. In this research, we described initial feedback from the use of text mining within the query and indexer, and report on experiments to evaluate how well our extracting system helps for simplifying the texts.

Fig. 1 shows the basic architecture of classification and extracting the optimal fuzzy relations. Individual components functions are triangular, trapezoidal, and Gaussian shapes. The two membership functions used in the proposed system are Distance membership function and Gaussian membership function. The Selected Two Membership Functions (TMFs) are applied and among them the Optimal Membership Function (OMF) is selected based on the minimum Euclidean length measure. Optimal Fuzzy Relations extraction using some of the com-positional operators and graph generation using BB algorithm. The paper is organized as follows. Section II briefly describes the related works. Section III introduces the optimal fuzzy relations extraction architecture. Section IV details the proposed algorithm. Section V shows some obtained experimental results. Finally, Section VI concludes.

II. RELATED WORKS

Pattern literature has been extensively studied in the information extraction. Extensively work is done by [7], who focused precisely on reduction in the time of the biomedical entity interactions when using the IE system, designed to recognize abstracts containing the pattern entity interactions. Reference [8] described a method for processing texts from widely differing domain and format. Reference [9] presented a system to identify components to extract fuzzy relationship in journal articles. Reference [1] proposed a technique extract the pattern relations using soft clustering data mining algorithm to increase the accuracy. Reference [4] presented a method for detecting the presence of fuzzy relationship in the text and dealing with spatial relationship using named entity extraction techniques coupled with self-learning fuzzy logic techniques. Reference [11] illustrated a novel concept graph creation technique which is under- pinned by a fuzzy extraction and text mining method. Reference [12] initiated text mining with a set of data using natural language processing techniques. Reference [1] improved the report and image retrieval by using ranking technique. Reference [14] proposed a novel fuzzy clustering algorithm using text mining. Reference [3] described a fuzzy transitive closure analysis, which is a powerful technique for pattern recognition. Reference [32] proposed system identifies the number of clusters which are equal to the number of implicit classes in multi class data. The best membership function for multi class data is searched in third phase with the minimum Euclidean norm.

III. ARCHITECTURE

Fig. 1 shows the basic architecture of classification and extracting the optimal fuzzy relations.
are illustrated into five main stages, including Preprocessing, Web Crawling, Keyword Classification and Selection, Optimal Fuzzy Relation Extraction and Graph Generation. These stages are described as follows.

A. Preprocessing

The system has many components implemented as Web Services. In fact, the actual structure is described in this section.

1) **Query Interface:** The relevant user and functional queries are guided by the user interface.

2) **Query Preprocess:** Stop words are frequently used words that appear in the text but hold very little significant information to the text. For example, words the, of, a, and so on appear frequently in the texts [5], [25]. So, a predefined stop word list is applied to remove those words that do not discriminate for the queries.

B. Web Crawling

The web crawling collects the relevant portions of documents from web that must be indexed according to the mapping between the terms so that we only search for matches in those indexes, which fall into the same equivalence class. This is very important for performance of searching as it reduces the search space [22], [25].

1) **Indexer:** It retrieves the list content (H), which the terms are stored in this list and URLs out of web pages efficiently. It can deal with different types of variety of user query requests. It also works as parser and do not contain any rich information useful for the classifier [23], [25].

2) **Term Parser:** It tests each term that is stored in list (H) to assign and extract any functional term relation included in them. Relevant information about each useful word of user query collection is stored in fixed-size records (H) [24], [25].

3) **Tagged Documents (TDs):** In order to get data sources for our method, we indicate some fixed and reliable documents that are some websites is selected based on the results from indexer and term parser.

C. Keyword Classifications and Selection

We can build classifiers that use the term-frequency to represent textual information in the vector space. For query topic identification, we can define a feature for each word, indicating whether the query contains that word. We can then define a feature extractor that simply checks whether each of these words is present in a given query [10], [33]. In our method, the tf-idf weight gives how important is a word to a query in a collection, and that’s why tf-idf incorporates local and global frameworks, because it takes in quest not only the isolated term but also the term within the query collection. To overcome this problem, the term frequency of a query on a vector space is usually also normalized.

1) **tf-idf Algorithm:** In support of classification, several information theory approaches have been employed. The tf-idf is the result of two statistics, such as term frequency (tf), which is the number of times that word ‘t’ occurs in query ‘q’ and inverse document frequency (idf), which is the total number of the tagged documents where term t appears [20], [34]. tf-idf is word frequent ‘x’ that inverses document frequency used for measure of the important word ‘t’ in the query and tagged document ‘di’ [21], [35]. tf-idf is described as:

\[
tf(t, q) = \frac{n_{t,q}}{\sum_{j=1}^{l} n_{j,q}}
\]

where,

\[
n_{t} = \text{number of occurrences of term } t \text{ in } q.
\]

\[
n_{j} = \text{number of occurrences of all terms in } q.
\]

\[
idf(t, di) = \log(M/m_{t} + 0.01)
\]

where,

\[
M = \text{total number of tagged documents in the web crawling.}
\]

\[
m_{t} = \text{total number of tagged documents in the web crawling where word } t \text{ appears.}
\]

\[
tf - idf(t, q, di) = tf(t, q) \times idf(t, di)
\]

The tf-idf term weighting scheme has been used extensively and has become the default choice in text classification. Thus, the keywords are stored in a list (H).
D. Optimal Fuzzy Relation Extraction Model

Fuzzy relations map elements of one universe, say X, to those of another universe, say Y, through the Cartesian product of the two universes. However, the strength of the relation between ordered pairs of the two universe is not measured with the characteristic function, but rather with a membership function expressing various degree of strength of the relation on the unit interval [0,1]. Hence a optimal fuzzy membership function expressing various degree of strength measured with the characteristic function, but rather with a product of the two universes. However, the strength of the relation on the universe X*Y to the [0,1], where the strength of the membership function is expressed by the membership function of the relation for ordered pairs from the two universes, or $\mu R(x,y)$ [27], [36]. The optimal fuzzy relation extraction model consists of the following:

1) Equivalence Memberships or Relations: The equivalence membership (EM) is very important in text mining because the EM on a set of objects determines a set of compatibility levels. The properties of EM can be applied as reflexive and transitive. The relation R can be described as a membership function $\{0,1\}$, so if the membership value is '1' then the objects are related to each other at the same level [31]. The membership of each object $xi, yj$ in the equivalence relation R is defined by $xi*yj \rightarrow [0, 1]$ [28], [34]. The grade of membership $\mu$ maps the object to positive real numbers in the interval [0, 1]. The definition of the membership function is given below:

$$\mu : x \rightarrow [0,1], x \in X$$

where x is a real object value, X refers to the universal set.

2) Membership Functions: A membership function provides a measure of the degree of similarity of the object to a fuzzy set. Each membership function states skilled opinion to get proper numerical values for fuzzy properties [30], [32]. The proposed method is for finding the best membership functions for the input data-set so that the optimal number of cluster can be revealed by the proposed system. The most common types of membership functions are triangular, trapezoidal, and Gaussian shapes. The two membership functions used in the proposed system are Distance membership function and Gaussian membership function [37].

The Gaussian membership function ($\mu_G$) is represented according to the following formula:

$$\mu_G(x) = \left[ \exp^{-1/2}(x-b/\sigma)^2 \right]$$

where,

- x is the real object value,
- b is the center of the membership function and
- $\sigma$ is a constant.

The general formula applied for the distance membership function ($\mu_{Dist}$) is Minkowski class:

$$D(i,j) = (|xi1-xj1|^q + |xi2-xj2|^q + ... + |xip-xjp|^q)^{1/q}$$

where,

- i, j, p are indexes of Minkowski distance.
- q is a distance function parameter.

Let a relation $\mu_{Dist}$ defined in terms of an appropriate distance function by the following formula:

$$\mu_{Dist}(i,j) = 1 - 1/mD(i,j)$$

where,

- $m$ = the number of samples in the training data that ensures that $\mu_{Dist}(i,j) \in [0,1]$.

3) Optimal Membership Function (OMF): The Selected Two Membership Functions (TMFs) are applied and among them the best membership function is selected based on their Euclidean length measure. Initially all the membership functions are stored in the file. Then the Euclidean length measure is calculated which drives the conclusion of goodness of fit measure. The membership function with minimum Euclidean length is selected as the Optimal Membership Function (OMF) for the input data-set.

4) Fuzzy Relation Computation: A fuzzy compatibility relation is defined on a set, which is maximum-minimum transitive. A similarity class is a fuzzy set in which the membership grade of any object represents the similarity of that objects to the set. Each equivalence relation is associated to the set of partitions.

5) Fuzzy Relations Using Transitive Closure: In order to achieve an equality fuzzy relation we apply a transitive closure. This strategy depends on the selection of the fuzzy similarity index and allows finding a partition of the universe depending on the level of similarity considered. A very important theorem proves that the partition obtained from the transitive closure is the same that with the hierarchical method of single linkage and the fuzzy connected components of the fuzzy graph defined by the matrix [38]. The transitive closure is determined by simple algorithm that can be calculated as follows:

$$R^+ = \cup_{i \in \{1,2,3,\ldots\}} R^i$$

where,

- $R^i$ is the $i^{th}$ power of R, defined inductively by $R^i = R$, and for $i > 0$: $R^{i+1} = R \circ R^i$ where, $\circ$ denotes composition of relations [38].

6) Optimal Fuzzy Relations Using Some of the Com-Positional Operators: An optimization model with objective function about max-product composition subject to the fuzzy relations about Max-Product (Max-Prod) and Max-Min composition are provided. In fuzzy relation applications, the Max-Min and Max-Prod com-positional operators are the most commonly and frequently used due to their computational efficiency. The Max-Prod Method of any fuzzy relations R and T is calculated by formula:

$$R \circ T = \text{Max}\{\mu_R(x,y) \circ \mu_T(y,z)\} / (x,z)$$

The Max-Min Method of any fuzzy relations R and T is calculated by formula:

$$R \circ T = \text{Max}\{\text{Min}\{\mu_R(x,y), \mu_T(y,z)\}\}$$
The arbitrary graphs are used to formulate and represent the basic structure such as concepts and relations between fuzzy terms and the user query [26]. In our method, we use a branch-and-bound algorithm that consists of a systematic enumeration of candidate solutions by means of state space search for global optimization for non-convex problems. The basic idea is rely on two factors that efficiently compute a lower and an upper bound on the optimal value over a given region. Upper bound can be found by selecting any point in the region, or by a local optimization method. Lower bound can be found from convex relaxation, duality, or other bounds.

The set of candidate solutions is thought of as forming a rooted graph with the full set at the root. The algorithm explores links of this graph, which represent subsets of the solution set. Before calculating the candidate solutions of a link, the link is checked against upper and lower estimated bounds on the optimal solution, and is discarded if it cannot produce a better solution than the best one found so far by the algorithm. The calculation is as follows:

\[
b(i) = A_i + \sum_{j=1}^{i} B_j + \min_{j \neq i} C_j
\]

where,

- \( B_j \) is the summation of the minimum value of the rows and columns and,
- \( A_i \) is the value of the element.

IV. ALGORITHM

This section begins with a discussion of the query text, classification, optimal fuzzy relations extraction and graph generation that have been used. We then specify our implementation of the query and extraction algorithm to identify the keywords and optimal fuzzy relations. The section then covers the methods used for evaluating the query extraction algorithm. As described earlier, the algorithm requires a string of the query. It has several parameters that will set up and affect how the text extraction process will be performed. It enhances the accuracy and performance of extraction of optimal fuzzy relations from web crawling. Similarity is a major concept in the representation of vague resource. A common approach for extracting the optimal fuzzy relations is to treat the relevant term to represent the group of resource. A common approach for extracting the optimal fuzzy relations from web crawling.

**Algorithm 1: Pseudo Code of Stop Word Removal**

**Input:** Query \( q = w_1, w_2, \ldots w_n \)

**Output:** Query without stop word

**Function:** ConvertStopWord()

1: Read the query from user using ScanQuery(System.in)
2: Declare the dictionary of stop words
3: Split parameter into words
4: Allocate new dictionary to store found words
5: For defining term frequency (tf) as (1)
6: Get vector for each sentence
7: While n not equal r
8: S = Collect the Document in the List
9: n = n + 1
10: ELSE
11: n = n + 1
12: UNTIL r = n;
13: Return (Term, S)

**Algorithm 2: Pseudo Code of Web Crawler**

**Input:** Sentence from the Query

**Function:** Sentence from the Query

1: S = An empty list (Tagged Documents)
2: Initialize TERM = String
3: Initialize n = Integer
4: r = number of records in Database
5: While n not equal r
6: Search TERM in the Database
7: IF TERM is matched the term in the Database THEN
8: S = Collect the Document in the List
9: n = n + 1
10: ELSE
11: n = n + 1
12: UNTIL r = n;
13: Return (Term, S)

**Algorithm 3: Pseudo Code of Query Classification**

**Input:** Term, S

**Output:** Keyword and the category of the query

**Function:** QueryClassification(line1 to lineN)

1: Use Convert StopWord()
2: Get vector for each sentence
3: For defining term frequency (tf) as (1)
4: Define inverse document frequency (idf) as explained in (2)
5: Calculate tf-idf as explained in (3)
6: Select the maximum value of tf-idf (Max-Val)
7: Keyword = Get the word with the maximum value of tf-idf
8: Return (Keyword, Max-Val)

**Algorithm 4: Pseudo Code of Gaussian Membership Function**

**Input:** q

**Output:** Relations using Gaussian Function

**Function:** GaussianMembership(H, Keyword, q)

1: Initialize sigma \( \sigma = 1 \)
2: Initialize cent, Gaussian (\( \mu_G = 0 \))
3: Initialize x = words from q
4: For all \( x \) Do
5: Calculate \( \sigma \) for all inputs
6: Cent = center of \( \mu_G \)
7: Calculate \( \mu_G \) as explained in (5)
8: Until Finish of processing all the variables
9: Return (\( \mu_G \))

**Algorithm 5: Pseudo Code of Distance Membership Function**

**Input:** Keyword, Oi (Keyword)

**Output:** Relations using Distance Metrics

**Function:** DistanceMembership(Keyword)

1: Use Minkowski class for estimating the proximity of terms (\( \mu_{dist} \)) as explained in (6,7)
2: Return (\( \mu_{dist} \))

**Algorithm 6: Pseudo Code of Stop Word Removal**

**Input:** Query \( q = w_1, w_2, \ldots w_n \)

**Output:** Query without stop word

**Function:** ConvertStopWord()

1: Use Minkowski class for estimating the proximity of terms (\( \mu_{dist} \)) as explained in (6,7)
2: Return (\( \mu_{dist} \))
Algorithm 6: Pseudo Code of Optimal Membership Function
Input: $\mu_G, \mu_{\text{Dist}}, \text{Min}$
Output: OMF
Function: OptimalMembership($\mu_{\text{Dist}}, \mu_{\text{Dist}}, \text{Min}$)
1: Call $\mu_G$
2: Call $\mu_{\text{Dist}}$
3: OMF = Minimum Euclidean length ($\mu_G, \mu_{\text{Dist}}$)
4: Return(OMF)

Algorithm 7: Pseudo Code of Optimal Fuzzy Relations Extraction
Input: OMF
Output: Fuzzy Relation Extraction (FRE)
Function: FRE($\mu_G, \mu_{\text{Dist}}, \text{OMF}$)
1: Set M = a constant that ensure the relation $\in [0, 1]$
2: Calculate the Equivalence Relation as explained in (7)
3: Use a transitive closure as explained in (8)
4: Use Max-Prod Method to choose Optimal Fuzzy Relations as explained in (9)
5: Use Max-Min Method to choose Optimal Fuzzy Relations as explained in (10)
6: FRE elements = Select the Minimum Value
7: Return (FRE elements)

Algorithm 8: Pseudo Code of Bound and Bound Graph
Input: FRE elements
Output: BB Graph Function
Function: BBGraph(FRE elements)
1: Use BB Method as explained in (11)
2: Split the solution into groups
3: Each splitting incurs a lower bound

V. IMPLEMENTATION

Implementation is the process of executing a plan or design to achieve some output. In this paper, the implementation encompasses keyword classification, the extraction of optimal fuzzy relations in the query, fetching them in the system to go through the query preprocessing techniques, forwarding the preprocessed documents to the web crawling to obtain the tagged documents, then sending them to the keyword selection system. Then the best membership function is searched to generate the optimal membership grades. The membership function with minimum Euclidean length is selected as the Optimal Membership Function (OMF) for the input data-set. The information contained in Table I is used to generate the required document classification data for applying fuzzy equivalence relation between these words from the query and the extracted words economy, operation, fund, financial, medical, machine. Since it is not directly possible; so first determine the keyword from the information contained in Table I. Then, we already computed the optimal fuzzy relations extraction using some of the compositional operators. Finally, the BB graph is efficiently generated using BB algorithm.

To illustrate the method based on classification and fuzzy equivalence relation, let us take an example. In this example there are six words as shown below in Table I.

Table I: Input Query for the Experimental Analysis

<table>
<thead>
<tr>
<th>Input Query (Word)</th>
<th>Equivalence</th>
</tr>
</thead>
<tbody>
<tr>
<td>Economy</td>
<td>W1</td>
</tr>
<tr>
<td>Operation</td>
<td>W2</td>
</tr>
<tr>
<td>Fund</td>
<td>W3</td>
</tr>
<tr>
<td>Financial</td>
<td>W4</td>
</tr>
<tr>
<td>Medical</td>
<td>W5</td>
</tr>
<tr>
<td>Machine</td>
<td>W6</td>
</tr>
</tbody>
</table>

By applying the tf-idf in (3), the keywords are extracted by the traditional tf-idf method as shown in Table II.

Table II: Extracted Keywords by tf-idf

<table>
<thead>
<tr>
<th>Word</th>
<th>tf</th>
<th>M</th>
<th>idf</th>
<th>tf-idf</th>
<th>Keyword</th>
</tr>
</thead>
<tbody>
<tr>
<td>W1</td>
<td>3</td>
<td>695M</td>
<td>0.39</td>
<td>2.97</td>
<td>$\Box$</td>
</tr>
<tr>
<td>W2</td>
<td>1</td>
<td>842M</td>
<td>0.90</td>
<td>0.90</td>
<td>$\times$</td>
</tr>
<tr>
<td>W3</td>
<td>2</td>
<td>538M</td>
<td>1.1</td>
<td>2.2</td>
<td>$\times$</td>
</tr>
<tr>
<td>W4</td>
<td>1</td>
<td>1.450M</td>
<td>0.67</td>
<td>1.04</td>
<td>$\times$</td>
</tr>
<tr>
<td>W5</td>
<td>1</td>
<td>1.830M</td>
<td>0.57</td>
<td>0.57</td>
<td>$\times$</td>
</tr>
<tr>
<td>W6</td>
<td>1</td>
<td>1.470M</td>
<td>0.66</td>
<td>0.66</td>
<td>$\times$</td>
</tr>
</tbody>
</table>

Then we will choose a particular channel and use the tagged documents for the idf value to calculate the word frequency as shown in Table III.

Table III: Word Frequency for the Tagged Documents

<table>
<thead>
<tr>
<th>Tagged Documents</th>
<th>Word Frequency</th>
</tr>
</thead>
<tbody>
<tr>
<td>W1</td>
<td>3</td>
</tr>
<tr>
<td>W2</td>
<td>1</td>
</tr>
<tr>
<td>W3</td>
<td>2</td>
</tr>
<tr>
<td>W4</td>
<td>1</td>
</tr>
<tr>
<td>W5</td>
<td>1</td>
</tr>
<tr>
<td>W6</td>
<td>1</td>
</tr>
</tbody>
</table>

By calculating the word frequency in Table IV, which the truthfulness degree that the word frequency belongs to specific tagged document and word ID.

Table IV: Word ID and Total Frequency

<table>
<thead>
<tr>
<th>Words</th>
<th>Word ID</th>
<th>Total Frequency</th>
</tr>
</thead>
<tbody>
<tr>
<td>Economy (W1)</td>
<td>1</td>
<td>16</td>
</tr>
<tr>
<td>Operation (W2)</td>
<td>2</td>
<td>11</td>
</tr>
<tr>
<td>Fund (W3)</td>
<td>3</td>
<td>12</td>
</tr>
<tr>
<td>Financial (W4)</td>
<td>4</td>
<td>10</td>
</tr>
<tr>
<td>Medical (W5)</td>
<td>5</td>
<td>1</td>
</tr>
<tr>
<td>Machine (W6)</td>
<td>6</td>
<td>2</td>
</tr>
</tbody>
</table>

Table V shows the Gaussian membership based on (5).

Table V: Gaussian Membership

<table>
<thead>
<tr>
<th>Gaussian Membership</th>
<th>W1</th>
<th>W2</th>
<th>W3</th>
<th>W4</th>
<th>W5</th>
<th>W6</th>
</tr>
</thead>
<tbody>
<tr>
<td>W1</td>
<td>0.71</td>
<td>0.80</td>
<td>0.60</td>
<td>0.04</td>
<td>0.065</td>
<td></td>
</tr>
<tr>
<td>W2</td>
<td>0.80</td>
<td>0.98</td>
<td>0.98</td>
<td>0.25</td>
<td>0.32</td>
<td></td>
</tr>
<tr>
<td>W3</td>
<td>0.30</td>
<td>0.98</td>
<td>1</td>
<td>0.95</td>
<td>0.20</td>
<td>0.25</td>
</tr>
<tr>
<td>W4</td>
<td>0.60</td>
<td>0.35</td>
<td>0.33</td>
<td>1</td>
<td>0.33</td>
<td>0.40</td>
</tr>
<tr>
<td>W5</td>
<td>0.04</td>
<td>0.25</td>
<td>0.20</td>
<td>0.33</td>
<td>1</td>
<td>0.98</td>
</tr>
<tr>
<td>W6</td>
<td>0.065</td>
<td>0.32</td>
<td>0.25</td>
<td>0.40</td>
<td>0.98</td>
<td>1</td>
</tr>
</tbody>
</table>

In this implementation, there are six tagged documents and six words as shown in Fig. 2.
The data T and Indexes for each word are shown in Table VI.

The pairs of total frequency and Index are shown in Table VII.

Table VIII shows the Distance membership based on (7).

The best membership function is selected based on their Euclidean length measure. Initially all the membership functions are stored in the file. Then the Euclidean length measure is calculated which drives the conclusion of goodness of fit measure. The membership function with minimum Euclidean length is selected as the Optimal Membership Function (OMF) for the input data-set. Table IX shows the Euclidean distance for the Distance membership elements.

Table X shows the Euclidean distance for the Gaussian membership elements.

The Optimal Membership Function (OMF) is presented in the Table XI, which OMF is calculated based on the minimum value of the Euclidean distance of the membership grades.

Given a relation R(X,X), the element if $R^1$ is the Maximum-Prod ($x_rj$, $x_js$) with j varying from 1 to k. The

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Given a relation R(X,X), the element if $R^1$ is the Maximum-Prod ($x_rj$, $x_js$) with j varying from 1 to k. The
TABLE XII: FTC USING MAX-PROD

<table>
<thead>
<tr>
<th>FTC (Max-Prod)</th>
<th>W1</th>
<th>W2</th>
<th>W3</th>
<th>W4</th>
<th>W5</th>
<th>W6</th>
</tr>
</thead>
<tbody>
<tr>
<td>W1</td>
<td>1</td>
<td>0.70</td>
<td>0.72</td>
<td>0.62</td>
<td>0.25</td>
<td>0.28</td>
</tr>
<tr>
<td>W2</td>
<td>0.70</td>
<td>1</td>
<td>0.91</td>
<td>0.86</td>
<td>0.37</td>
<td>0.42</td>
</tr>
<tr>
<td>W3</td>
<td>0.72</td>
<td>0.91</td>
<td>1</td>
<td>0.86</td>
<td>0.37</td>
<td>0.42</td>
</tr>
<tr>
<td>W4</td>
<td>0.62</td>
<td>0.86</td>
<td>0.86</td>
<td>1</td>
<td>0.45</td>
<td>0.49</td>
</tr>
<tr>
<td>W5</td>
<td>0.25</td>
<td>0.42</td>
<td>0.37</td>
<td>0.45</td>
<td>1</td>
<td>0.91</td>
</tr>
<tr>
<td>W6</td>
<td>0.28</td>
<td>0.42</td>
<td>0.42</td>
<td>0.49</td>
<td>0.91</td>
<td>1</td>
</tr>
</tbody>
</table>

Fig. 3 Fuzzy Relation using Max-Prod

Now, the Fuzzy Transitive Closure using Max-Min technique based on (10) is shown in Table XIII and Fig. 4.

TABLE XIII: FTC USING MAX-MIN

<table>
<thead>
<tr>
<th>FTC (Max-Min)</th>
<th>W1</th>
<th>W2</th>
<th>W3</th>
<th>W4</th>
<th>W5</th>
<th>W6</th>
</tr>
</thead>
<tbody>
<tr>
<td>W1</td>
<td>1</td>
<td>0.72</td>
<td>0.72</td>
<td>0.72</td>
<td>0.43</td>
<td>0.49</td>
</tr>
<tr>
<td>W2</td>
<td>0.70</td>
<td>1</td>
<td>0.91</td>
<td>0.86</td>
<td>0.43</td>
<td>0.49</td>
</tr>
<tr>
<td>W3</td>
<td>0.72</td>
<td>0.91</td>
<td>1</td>
<td>0.86</td>
<td>0.43</td>
<td>0.49</td>
</tr>
<tr>
<td>W4</td>
<td>0.72</td>
<td>0.86</td>
<td>0.86</td>
<td>1</td>
<td>0.49</td>
<td>0.49</td>
</tr>
<tr>
<td>W5</td>
<td>0.43</td>
<td>0.43</td>
<td>0.43</td>
<td>0.49</td>
<td>1</td>
<td>0.91</td>
</tr>
<tr>
<td>W6</td>
<td>0.49</td>
<td>0.49</td>
<td>0.49</td>
<td>0.49</td>
<td>0.91</td>
<td>1</td>
</tr>
</tbody>
</table>

Fig. 4 Fuzzy Relation using Max-Min

The reduced matrix is to get the lower bound of the path starting at node 1: W1 as shown in Table XIV.

TABLE XIV: BRANCH AND BOUND FOR NODE 1: W1

<table>
<thead>
<tr>
<th>BB Node</th>
<th>W1</th>
<th>W2</th>
<th>W3</th>
<th>W4</th>
<th>W5</th>
<th>W6</th>
<th>Reduced</th>
</tr>
</thead>
<tbody>
<tr>
<td>W1</td>
<td>∞</td>
<td>0.31</td>
<td>0.35</td>
<td>0.17</td>
<td>0</td>
<td>0</td>
<td>0.25</td>
</tr>
<tr>
<td>W2</td>
<td>0.33</td>
<td>∞</td>
<td>0.42</td>
<td>0.29</td>
<td>0</td>
<td>0.02</td>
<td>0.37</td>
</tr>
<tr>
<td>W3</td>
<td>0.35</td>
<td>0.4</td>
<td>∞</td>
<td>0.29</td>
<td>0</td>
<td>0.02</td>
<td>0.37</td>
</tr>
<tr>
<td>W4</td>
<td>0.43</td>
<td>0.27</td>
<td>0.29</td>
<td>∞</td>
<td>0</td>
<td>0.01</td>
<td>0.45</td>
</tr>
<tr>
<td>W5</td>
<td>0</td>
<td>0.03</td>
<td>0</td>
<td>0</td>
<td>∞</td>
<td>0.63</td>
<td>0.25</td>
</tr>
<tr>
<td>W6</td>
<td>0</td>
<td>0</td>
<td>0.02</td>
<td>0.01</td>
<td>0.63</td>
<td>∞</td>
<td>0.28</td>
</tr>
<tr>
<td>Reduced</td>
<td>-</td>
<td>0.14</td>
<td>0.12</td>
<td>0.20</td>
<td>-</td>
<td>0.03</td>
<td>-</td>
</tr>
</tbody>
</table>

The Reduced Cost for node 1 (W1) is $\{0.25 + 0.37 + 0.37 + 0.45 + 0.25 + 0.28\} + \{0.14 + 0.12 + 0.20 + 0.03\} = 2.46$. Finally, the reduced cost of the last node (W5) is cost of Node $W3 + A(5,1) + \text{lower bound} = 3.31 + 0 + 0 = 3.31$. The BB graph is presented in Fig. 5.

Fig. 5 Branch and Bound Graph

VI. CONCLUSION

Text mining, fuzzy and classification techniques are really powerful. This paper study was completely based on these techniques. The system was created for classifying and extracting the optimal fuzzy relation from the query. Query data has fuzzy characteristics; so extracting and computing fuzzy is sometimes better suitable for text mining in comparison with conventional classification.

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REFERENCES

