

Circuit Models for Conducted Susceptibility Analyses of Multiconductor Shielded Cables

Saih Mohamed, Rouijaa Hicham, Ghammaz Abdelilah

Abstract—This paper presents circuit models to analyze the conducted susceptibility of multiconductor shielded cables in frequency domains using Branin’s method, which is referred to as the method of characteristics. These models, which can be used directly in the time and frequency domains, take into account the presence of both the transfer impedance and admittance. The conducted susceptibility is studied by using an injection current on the cable shield as the source. Two examples are studied; a coaxial shielded cable and shielded cables with two parallel wires (i.e., twinax cables). This shield has an asymmetry (one slot on the side). Results obtained by these models are in good agreement with those obtained by other methods.

Keywords—Circuit models, multiconductor shielded cables, Branin’s method, coaxial shielded cable, twinax cables.

I. INTRODUCTION

SHIELDED cables are usually used in wired communication systems to protect signal transmission from external electromagnetic interference (EMI). Nevertheless, the cable shield may collect the electromagnetic disturbances produced by external fields generating EMI in the apparatus. It is therefore highly important for Electromagnetic Compatibility (EMC) studies to develop software tools capable of predicting induced effects in shielded cables configurations.

The prediction of these disturbances, which are usually induced by external fields or lumped sources, is a classical issue which can be dealt with in a variety of ways. Hence, it can be treated in the frequency domain, and therefore the induced responses of shielded cables are solved by using multiconductor transmission line (MTL) theory [1]-[3].

During the last years, a lot of researches have been set on the development of simulation program with integrated circuit emphasis (SPICE) equivalent circuit models for multi conductor transmission lines without shields excited by an incident electromagnetic field [4], [5], but the work on SPICE equivalent circuits for shielded cables began later than that on multi conductor transmission lines without shields. Caniggia and Maradei proposed some SPICE models to analyze the conducted immunity of both lossless and lossy coaxial cables

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[6]. These models can be used for the frequency-domain analysis and the inverse Fourier transform (IFT) is needed to get the transient results.

Some SPICE models were proposed to analyze bulk current injection test on lossless shielded cables in the time and frequency domains [7], [8], where the injection clamp was considered as a longitudinal lumped current source. These models were employed to study the effects of the shield’s grounding, geometrical and electrical asymmetries, and the cable’s length on the terminal voltages presented in [9];

The main reason of this paper is to study the conducted susceptibilities of multi conductor shielded cables in frequency domain using the method of characteristics (Branin’s method) [10]. This shield has an asymmetry (one slot on the side). The model works in frequency and time domain with linear and non linear loads, respectively; this allows it to be easily inserted in circuit simulators, such as Spice, Sabar, and Esacap [11]. The method is validated by comparing results with other methods.

II. DEVELOPMENT OF CIRCUIT MODELS FOR MULTICONDUCTOR SHIELDED CABLES

A. MTL Model of Shielded Cables

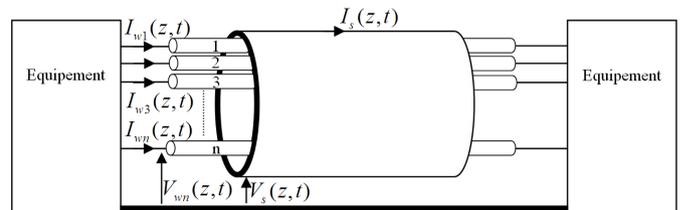


Fig. 1 Magnitude of the frequency responses in decibels of the inner

B. Terminations

The Telegrapher’s equations for a multiconductor shielded cable with N parallel wires located inside the shield above the ground, as shown in Fig. 1, can be described by:

Outer system

$$\begin{cases} \frac{\partial V_s(z,t)}{\partial z} + L_s \frac{\partial I_s(z,t)}{\partial t} + R_s I_s(z,t) = 0 \\ \frac{\partial I_s(z,t)}{\partial z} + C_s \frac{\partial V_s(z,t)}{\partial t} + G_s V_s(z,t) = 0 \end{cases} \quad (1)$$

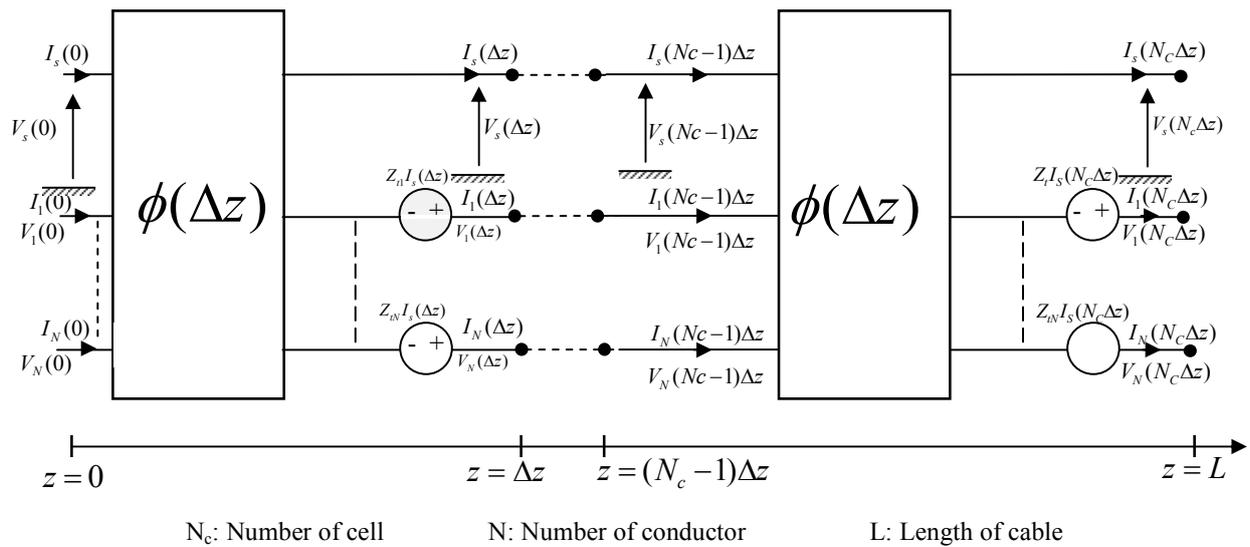


Fig. 2 Model of a Multiconductor shielded cables in the form of cells

D. Equivalent Circuit Model

After calculating the parameters of multiconductor lines, we move to the representation of a combination of shield /internal conductors using an equivalent circuit model.

Substituting (16), (17), (18), and (19) into (15), then (12), (13), and (14) into (10) gives:

$$\begin{cases} V_s(z_0) - Z_{cs}I_s(z_0) = e^{-j\omega T_s} [V_s(z_0 + \Delta z) - Z_{cs}I_s(z_0 + \Delta z)] \\ V_s(z_0 + \Delta z) + Z_{cs}I_s(z_0 + \Delta z) = e^{-j\omega T_s} [V_s(z_0) + Z_{cs}I_s(z_0)] \end{cases} \quad (21)$$

$$\begin{cases} V_{wm}(z_0) - Z_{cm}I_{wm}(z_0) = e^{-j\omega M \Delta z} [V_{wm}(z_0 + \Delta z) - Z_{cm}I_{wm}(z_0 + \Delta z) - T_V^{-1}Z_t I_s(z_0 + \Delta z)] \\ V_{wm}(z_0 + \Delta z) + Z_{cm}I_{wm}(z_0 + \Delta z) = e^{-j\omega M \Delta z} [V_{wm}(z_0) + Z_{cm}I_{wm}(z_0) + T_V^{-1}Z_t I_s(z_0 + \Delta z)] \end{cases} \quad (22)$$

Here T_s is the one-way delay of the outer system and is defined as $T_s = \Delta z \sqrt{C_s L_s}$. Z_{cs} is the characteristic impedance of the outer system and is defined as $Z_{cs} = \sqrt{L_s / C_s}$. The terms of the 'controlled' generators of voltage and current placed in each conductor of the cell are:

$$[V(z, t)]_i = \sum_{k=1}^N \{ [T_V]_{ik} [V_{wm}(z, t)]_k \} \quad (23)$$

$$[I_{wm}(z, t)]_i = \sum_{k=1}^N \{ [T_V^{-1}]_{ik} [I(z, t)]_k \} \quad (24)$$

III. SIMULATION RESULTS AND VALIDATION

A. Conducted Susceptibility Analysis of Coaxial Cable

The analysis of the conducted immunity is carried out on the coaxial cable over a ground plane. The length L and the

height h of the cable are 300m and 1cm, respectively. The shield radius is $r_s=2.5$ mm, the inner wire radius is $r_w=0.25$ mm, the internal dielectric constant is $\epsilon_r=1.77$. The values of the transfer resistance and inductance are: $R_T=10$ m Ω /m and $L_T=1.3$ nH/m. The terminal loads between the shield and the ground are $R_{S1}=1$ M Ω and $R_{S2}=123$ Ω , while the inner terminations are matched $R_{w1}=100$ Ω and $R_{w2}=100$ Ω . The current source is $I=1$ A. As shown in Fig. 3.

The differential mode voltages in the frequency domain analysis are shown in Fig. 4. The results show that the solutions from different methods are in good agreement.

In Fig. 4, the coupling into end side load is clearly stronger than in near side load, because the injection is asymmetrically located on near side of external shield: the configuration is physically similar to the coupling into single wire over ground plane with an illumination $E_x=Kz$, travelling along the wire in $+z$ direction [3]. Because the internal line is well matched by both side terminations, the total coupling is under a flat envelop and the anti-resonance frequencies are located as by the following formula $F = n [3E8 / (\lambda/2)\sqrt{\epsilon}]$, $n = 1, 3, 5, \dots$, i.e. resonance at $\lambda/2$ shifted down by the internal dielectric constant.

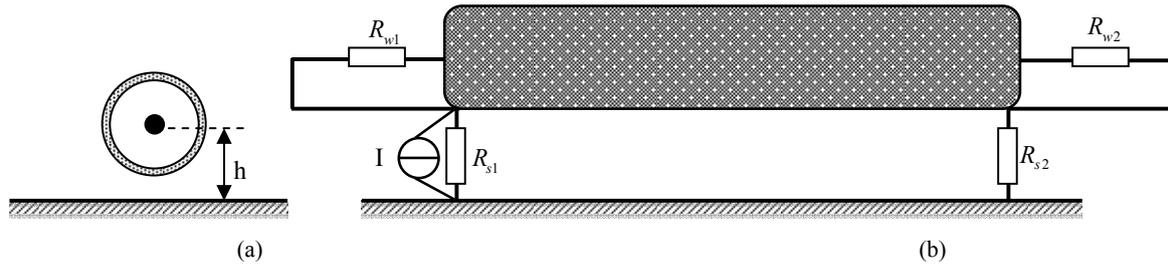


Fig. 3 (a) Geometrical cross-section of the coaxial cable (b) Configuration of the simulation for conducted analysis

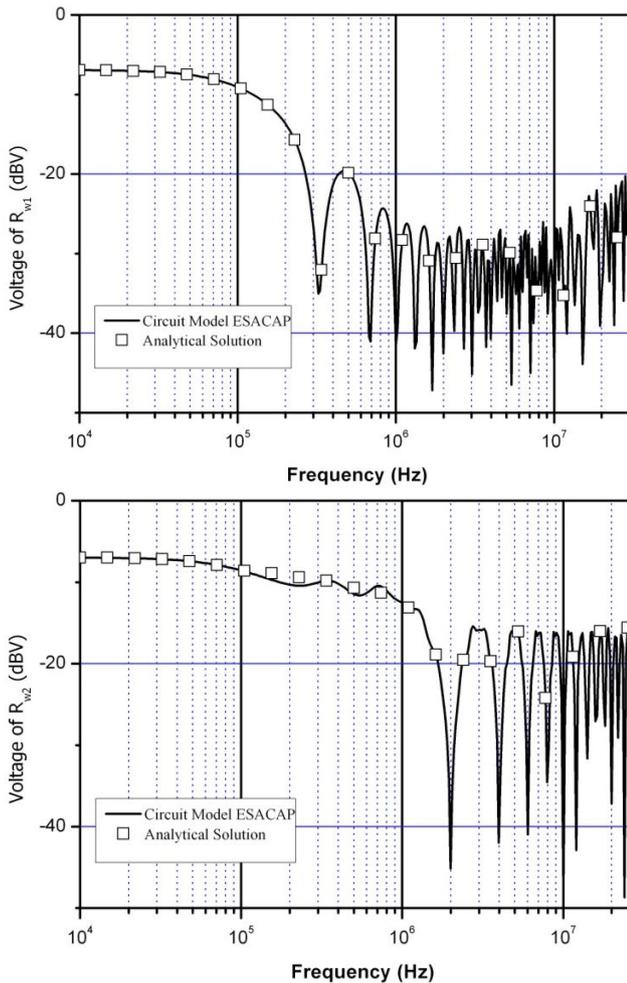


Fig. 4 Magnitude of the frequency responses in decibels of the inner terminations

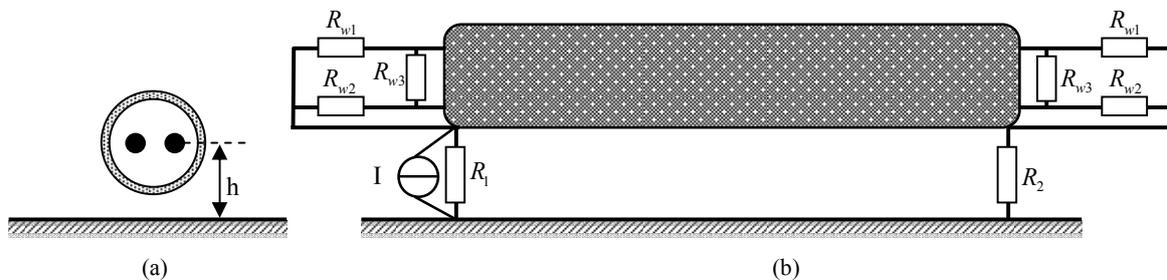


Fig. 5 (a) Geometrical cross-section of the Twinax cable. (b) Configuration of the simulation for conducted analysis

B. Conducted Susceptibility Analysis of Twinax Shielded Cable

A twinax shielded cable over a ground plane is considered. The length is $L=300\text{m}$. The current source in parallel to near side pigtail of the shield is $I = 1\text{A}$. This shield has an asymmetry (one slot on the side) which is translated with the transfer parameters $L_{T1}=1.33\text{nH/m}$, $L_{T2}=1.2\text{nH/m}$ and $R=0$. The height above the ground plane is $h=1\text{cm}$. The wire radius $r_{w1} = r_{w2}=0.25\text{mm}$ and the distance from central axis of symmetry is $d1=d2=0.25\text{mm}$. As shown in Fig. 5, where the terminal loads between, the shield and ground are $R_1=1\text{M}\Omega$ and $R_2=124.7\Omega$. R_{w1} , R_{w2} and R_{w3} are 176Ω , 176Ω , and 61Ω , and the loads at the right termination has the same value as those at the left end.

The voltages induced on the differential loads at both ends of internal flat pair ($R_{w3}=61\Omega$) are calculated over the frequency range $F=10\text{KHz}-10\text{Mhz}$.

As shown in Fig. 6, the maximum value of differential coupling is located at far end of internal flat pair, for the same reason mentioned on the previous example “coax over ground plane”, i.e. the asymmetric position of input source. The coupled value is increasing with frequency at $+20\text{dB/dec}$ due to preponderant effect of transfer inductance, (the transfer resistance is zero).

The two curves show different values at frequency increase only because of unbalance of the two transfer inductance values.

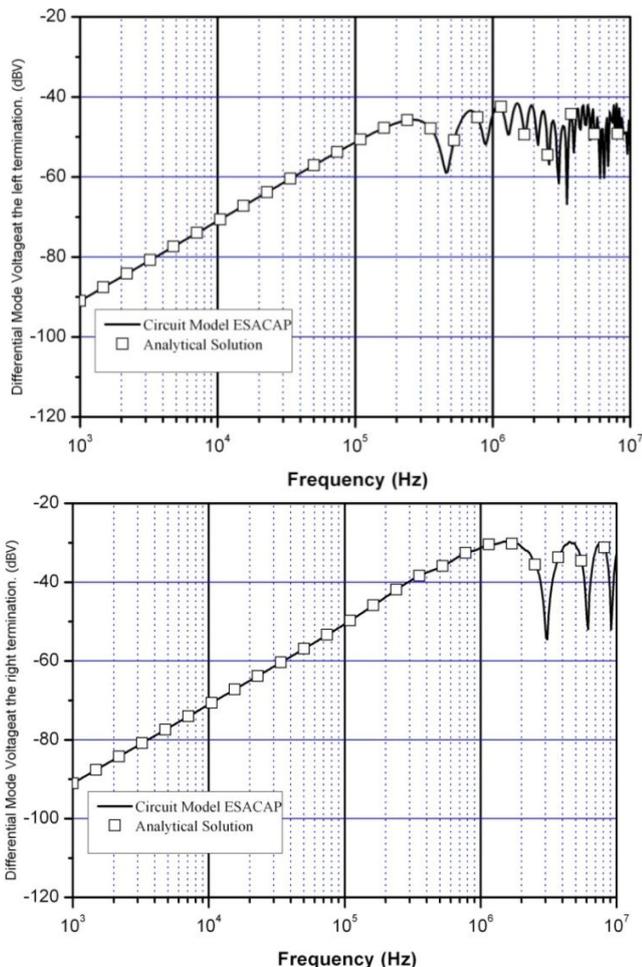


Fig. 6 Differential mode voltage induced on the twinax cable

IV. CONCLUSION

A circuit model for the analysis of the conducted susceptibility of multiconductor shielded cables has been developed and validations have been given in this paper. These models, which can be used directly in the time and frequency domains, take into account the presence of both the transfer impedance and admittance. Hence, they can be implemented to compute transient responses without the IFT. The results agree well with those obtained through other methods.

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