Comparison of MFCC and Cepstral Coefficients as a Feature Set for PCG Biometric Systems

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Abstract—Heart sound is an acoustic signal and many techniques used nowadays for human recognition tasks borrow speech recognition techniques. One popular choice for feature extraction of acoustic signals is the Mel Frequency Cepstral Coefficients (MFCC) which maps the signal onto a non-linear Mel-Scale that mimics the human hearing. However the Mel-Scale is almost linear in the frequency region of heart sounds and thus should produce similar results with the standard cepstral coefficients (CC). In this paper, MFCC is investigated to see if it produces superior results for PCG based human identification system compared to CC. Results show that the MFCC system is still superior to CC despite linear filter-banks in the lower frequency range, giving up to 95% correct recognition rate for MFCC and 90% for CC. Further experiments show that the high recognition rate is due to the implementation of filter-banks and not from Mel-Scaling.

Keywords—Biometric, Phonocardiogram, Cepstral Coefficients, Mel Frequency

I. INTRODUCTION

A HUMAN identification system is a system that is able to recognize an individual when certain data which is specific to the individual is presented to it. In the past, such systems were based on handwriting, speech, fingerprints and facial features to perform its tasks. However too much reliance cannot be placed onto these biometrics as they can be forged by others. As such researchers have looked deeper into the human body to search for alternatives which cannot be easily falsified.

The human heart sound has been traditionally used as a means of identifying diseases through its analysis. Phonocardiogram (PCG) is the digitally recorded heart sound. Recently PCG has been explored to see if it carries information specific to individuals. Studies have shown that heart sound possesses the capability of being a biometric [1], [2], [9].

The heart sound is categorised by the two loudest sounds referred to as S1 and S2. S1 typically lasts for a duration of 150 ms with a frequency between 25 to 45 Hz and S2 lasts for 120 ms bearing a frequency of about 50 Hz. S1 is produced through the sudden closure of the mitral and tricuspid valves during isovolumetric contraction to pump blood into the aorta and pulmonary artery. The sound of S1 is akin to a low and slightly prolonged “lub”. S2, which is a short, high-pitched “dup”, is then caused by closure of the aortic and pulmonary valves during isovolumetric relaxation when the ventricles end ejection and starts the diastole. Together they make up the “lup-dup” sound that is often thought of when referring to a heart beat. An example of a PCG signal containing S1 and S2 is shown in Figure 1.

II. CEPSTRAL COEFFICIENTS AND MEL FREQUENCY CEPSTRAL COEFFICIENTS

The cepstrum is defined as the inverse Fourier transform of the log-magnitude Fourier spectrum. It is used to separate...
the transfer function and the excitation signal which exists in the low frequency and high frequency respectively. The coefficients that make up the resulting cepstrum are known as the cepstral coefficients. In the past, CC has only been used for identifying echoes that are present in an acoustic signal [3] but later on CC have been shown to be a feasible set of features for speaker identification [7], [8] and even musical instrument identification [4].

Stevens et al. (1937) proposed the Mel scale which is a scale of pitches judged to be equal in distance from one another according to human perception [11]. According to the scale, larger and larger intervals of frequency are judged by listeners to produce equal pitch increments. For example the perceptual interval between 100 Hz to 200 Hz is approximately the same as the perceptual interval between 10 kHz to 20 kHz. Figure 3 shows that as you go up the Hertz scale, the same interval on the Mel scale will require increasingly larger Hertz intervals.

Mel-frequency cepstrum is actually a cepstrum with its spectrum mapped onto the Mel-scale before the log and inverse fourier transform is taken. As such, the scaling in Mel-frequency cepstrum mimics the human perception of distance in frequency and its coefficients are known as the MFCC. MFCCs are now widely used for speaker recognition tasks [5] and has been shown to yield excellent results [6], [10]. In [6], it is also shown that MFCC outperforms normal cepstral coefficients for speaker identification.

A similar study by Phua et al. (2008) has shown successful implementation of MFCC of PCG sound as a biometric. However no comparison has been done to determine if there is an increase in performance when using MFCC against normal cepstral coefficients as in speaker recognition.

III. METHODOLOGY

This experiment consists of four distinct parts: i) experimental setup, ii) preprocessing, iii) feature extraction and iv) classification. Each part will be explained in detail in the following subsections.

A. Experimental Setup

For the purpose of this experiment, a database of PCG recordings were created. The signals were recorded using a Dong Jin Medical i-Scope 200 digital stethoscope with a sampling frequency of 11025 Hz at 16-bits per sample. The stethoscope was connected to a computer and the PCG was captured using the Matlab Data Acquisition Toolbox. Participants were required to sit on a reclining chair and remain calm and relaxed throughout the whole procedure. The stethoscope was placed on the pulmonary auscultation site on the participants’ chest.

There were a total of 6 participants and they were required to attend 6 separate recording sessions. Each session consisted of 10 trials with each trial lasting for approximately 60 seconds. The sessions were spaced at least one day apart from each other. Thus there was a total of 60 PCG recordings for each participant. The first and last 5 second of each recordings were discarded therefore 50 seconds of the signal was obtained from each trial. The signals were randomly divided into training and testing sets each time the system is executed whereby 50% of the signals were used for training and 50% for testing.

B. Preprocessing

Preliminary processing is done in order to prepare the signal for the feature extraction stage. The signal may be affected by the noise caused by internal organs, body or hand movements and also bursty interferences. The following steps were done during preprocessing:

1) Low-pass filter: An elliptic low-pass filter with a cut-off frequency of 300 Hz is used to remove unwanted high frequency noise.
2) Spike removal: Values that are higher than a certain threshold are set to the threshold value to minimize the effects of bursty interference.
3) Amplitude normalization: All the signals are normalized to a range between -1 and +1 using the following equation:

\[ x_{n}[n] = \frac{x_{i}[n] - \mu_{x}}{\max(|x|)} \]  

where \( x_{i}[n] \) is the input signal, \( \mu_{x} \) is the signal mean, \( \max(x) \) is the maximum amplitude of the signal and \( x_{n}[n] \) is the normalized signal.

C. Feature Extraction

For feature extraction, the signal will be put through the CC and MFCC method so that the performance of the system using these two feature sets can be compared.
1) Cepstral Coefficients: The process of extracting the cepstral coefficients are shown in Figure 4. First, the signal is divided into frames of 512 ms and each frame is multiplied with a Hamming window. Then the signal is converted from the time domain into the frequency domain by using the discrete Fourier transform (DFT).

As the PCG signal has a very small bandwidth in the lower frequency regions, only the spectrum ranging from 0 Hz to 100 Hz is utilized to maximize the information contained within the cepstral coefficients for better separability and also to cut back on computational costs.

Following this, the natural log of the magnitude of the spectrum is computed and finally, the inverse discrete Fourier transform (IDFT) is computed. Only the first few cepstral coefficients are selected as the higher order coefficients represents the excitation process which is less useful [9]. A normal cepstrum operates on a linear frequency scale while Mel-frequency cepstrum operates on the Mel-Scale which will be discussed in the following section.

In general, the equation for determining the cepstrum of a signal can be written as follows:

$$c[n] = \text{IDFT} (\log(|X[k]|))$$

(2)

where $x[n]$ is the signal, $w[n]$ is the window function, $n$ is the frequency index and $c[n]$ is the computed cepstrum. The first 50 coefficients are used for this experiment.

2) Mel Frequency Cepstral Coefficients: The main difference between computation of the MFCC and the cepstral coefficients is the inclusion of Mel-Scale filter-banks, as shown in Figure 5. The Mel-Scale filter-banks are computed as follows:

$$m = 1127 \log_e \left( \frac{f}{700} + 1 \right)$$

(3)

where $f$ is the frequency in the linear scale and $m$ is the resulting frequency in Mel-Scale. The frequency scale ranging from 0 Hz to 100 Hz is converted to the Mel-Scale and 51 centre frequencies are then spaced linearly throughout the range in Mel-Scale. These centre frequencies are then converted back to the normal linear scale using the inverse of Equation (3) and they will now be spaced logarithmically. Triangular overlapping filter-banks are then constructed based on these centre frequencies.

The power spectral density (PSD) of the spectrum is mapped onto the Mel-Scale by multiplying it with the filter-banks constructed earlier and the log of the energy output of each filter is calculated as follows:

$$S[m] = \log \left( \sum_{k=0}^{N-1} |X[k]|^2 H_m[k] \right)$$

(4)

where $H_m[k]$ is the filter-banks and $m$ is the number of the filter-bank. Finally, the discrete cosine transform (DCT) of the spectrum to obtain the MFCC is computed:

$$c[n] = \frac{M-1}{M} \sum_{m=0}^{M-1} S[m] \cos \left( \frac{\pi n}{M} \left( m - \frac{1}{2} \right) \right), n = 0, 1, 2, \ldots, M$$

(5)

where $M$ is the total number of filter banks. The first coefficient is discarded, and the remaining is used for testing and training.

D. Classification

The classification method used for this comparison is the GMM. It is actually a probabilistic model with a normal (Gaussian) distribution. Every class will have its own GMM. During the testing phase, the signal is compared to the available GMMs and classification is made according to the GMM which gives the maximum likelihood estimation. Studies have shown that GMM not only make an excellent classifier for speech recognition [10] but also for PCG signal recognition as well [9]. It has also been shown that GMM outperforms Vector Quantization (VQ) for PCG biometric systems [9] and thus GMM is selected as the classifier in this biometric system.

For a $D$-dimensional feature vector denoted as $x$, the GMM of a person’s heart sound is given by the weighted sum of $M$ component densities:

$$p(x|\lambda) = \sum_{i=1}^{M} p_i b_i(x)$$

(6)

Each component density, $b_i(x)$, is a uni-modal Gaussian density function given by:

$$b_i(x) = \frac{1}{\sqrt{(2\pi)^D \sqrt{\Sigma_i}}} \exp\left(-\frac{1}{2}(x-\mu_i)^T \Sigma_i^{-1} (x-\mu_i)\right)$$

(7)

where $\mu_i$ is the mean vector, $\Sigma_i$ is the covariance matrix and the mixture weight satisfies the constraint $\sum_{i=1}^{M} p_i = 1$. Therefore the GMM of a person’s heart sound feature vector is denoted as $\lambda = \{p_i, \mu_i, \Sigma_i\}, i = 1, \ldots, M$. The Expectation-Maximization (EM) algorithm is used for estimating the maximum likelihood model parameters.

For recognition tasks, the cepstral coefficients and the MFCCs will be put through the different GMMs and classified according to the maximum likelihood.
IV. RESULTS AND DISCUSSION

The results of this experiment will be based on the correct recognition rate (CRR):

\[
CRR = \frac{C_n}{T_n} \times 100
\]

where \(C_n\) is the number of correct classifications and \(T_n\) is the total number of testing samples. Since the samples used for training and testing for every run are randomized, the CRR for every test is taken as an average of 10 runs.

Preliminary experiments were conducted in order to find the i) optimum number of coefficients and ii) the optimum number of mixture components needed for high classification rates. In the first experiment, the number of mixture components, \(M\), was set to 13 and the number of cepstral coefficients and MFCCs were varied. Figure 6 shows that the performance of both systems remain relatively stagnant from 20 coefficients onwards. It is interesting to note that despite the fact that the MFCC is mostly linear below 100 Hz, it shows a constant performance gain over the cepstral coefficient counterpart.

In the second experiment, the amount of mixture components used to model the GMM classifier was varied. It was observed in Figure 7 that as the number of mixture components increase, both systems show improved performance. Nonetheless the results follow the trend from the previous experiment whereby the MFCCs show better performance gain over cepstral coefficients.

These results are rather surprising, considering that Mel-Scale is almost linear within the bandwidth where heart sound resides and therefore the results should not differ much from that of the cepstral coefficients. Another test is done where expand the bandwidth for obtaining the coefficients is expanded to the full frequency range of up to 5512.5 Hz. Additionally another system is created for extraction of cepstral coefficients using filter-banks that are separated linearly henceforth referred to as linear filter cepstral coefficients (LFCC).

Table I shows that there is almost no difference in the CRR between the cepstral coefficient system and the LFCC system when the full frequency range is used. However a large increase in CRR of about 10% can be seen when using the MFCC. This can be attributed to the property of the Mel-Scaled filter-banks having denser filter-banks in the lower frequency regions, thus extracting more useful information compared with the previous systems. As can be seen in Figure 8, LFCC only has 2 filter-banks below 100 Hz while MFCC has 3 when 21 filter-banks are implemented over a range of 0 to 1000 Hz.

Since LFCC has linear scaling, when the specified bandwidth of 0 to 100 Hz is used, it should produce the same results as CC. However Table II show that although LFCC is linear in the specified bandwidth, the performance is still superior to CC. Based on these results, it can infered that when the specified frequency range is used, Mel-Scaling of MFCC does not provide any substantial improvements for heart sounds and using a linear scale gives similar results. The gains in performance for LFCC over CC is speculated to be the result of the implementation of filter-banks in the MFCC algorithm in the specified bandwidth.

<table>
<thead>
<tr>
<th>Type of coefficients</th>
<th>CRR (%)</th>
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<tbody>
<tr>
<td>Cepstral Coefficients</td>
<td>61.67</td>
</tr>
<tr>
<td>LFCC</td>
<td>58.93</td>
</tr>
<tr>
<td>MFCC</td>
<td>74.53</td>
</tr>
</tbody>
</table>

Table II shows the CRR for different number of filter-banks for MFCC and LFCC up to 100 Hz of signal.

<table>
<thead>
<tr>
<th>Type of coefficients</th>
<th>CRR (%)</th>
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</thead>
<tbody>
<tr>
<td>MFCC (51 filter-banks)</td>
<td>95.53</td>
</tr>
<tr>
<td>MFCC (11 filter-banks)</td>
<td>91.93</td>
</tr>
<tr>
<td>LFCC (51 filter-banks)</td>
<td>95.20</td>
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</table>
V. CONCLUSION

In this paper, the performance of two widely used feature extraction techniques for speaker identification in a PCG biometric system is compared. In the MFCC system, the optimum configuration gives a CRR of 95% while in the cepstral coefficient system, the CRR peaks at 90%. Overall, MFCC makes a better feature set as compared to cepstral coefficients. Experimental results show that Mel-Scaling does not provide any substantial benefit when the feature extraction is restricted to the low frequency region ($\leq 100$ Hz). The performance difference in performance is speculated to be the result of the implementation of filter-banks in the MFCC algorithm and not because of the Mel-Scaling.

As such, future works can be done to incorporate filter-banks in other feature extraction algorithms in the low frequency region to determine if the filter-banks improve on those algorithms as well.

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REFERENCES