Analysis of Pressure Drop in a Concentrated Solar Collector with Direct Steam Production

Sara Sallam, Mohamed Taqi, Naoual Belouaggadia

Abstract—Solar thermal power plants using parabolic trough collectors (PTC) are currently a powerful technology for generating electricity. Most of these solar power plants use thermal oils as heat transfer fluid. The latter is heated in the solar field and transfers the heat absorbed in an oil-water heat exchanger for the production of steam driving the turbines of the power plant. Currently, we are seeking to develop PTCS with direct steam generation (DSG). This process consists of circulating water under pressure in the receiver tube to generate steam directly into the solar loop. This makes it possible to reduce the investment and maintenance costs of the PTCS (the oil-water exchangers are removed) and to avoid the environmental risks associated with the use of thermal oils. The pressure drops in these systems are an important parameter to ensure their proper operation. The determination of these losses is complex because of the presence of the two phases, and most often we limit ourselves to describing them by models using empirical correlations.

A comparison of these models with experimental data was performed. Our calculations focused on the evolution of the pressure of the liquid-vapor mixture along the receiver tube of a PTC-DSG for pressure values and inlet flow rates ranging respectively from 3 to 10 MPa, and from 0.4 to 0.6 kg/s. The comparison of the numerical results with experience allows us to demonstrate the validity of some models according to the pressures and the flow rates of entry in the PTC-DSG receiver tube. The analysis of these two parameters’ effects on the evolution of the pressure along the receiving tube, shows that the increase of the inlet pressure and the decrease of the flow rate lead to minimal pressure losses.

Keywords—Direct steam generation, parabolic trough collectors, pressure drop.

I. INTRODUCTION

LIQUID-VAPOR flows are present in many industrial applications. In the solar field, we find these flows in the new generations of solar PTCS with DSG. By convective exchanges between the water and the receiver tube, the two-phase liquid-vapor flow has several configurations along the tube. Control of this process is complex and remains a hot topic for proper PTC design. In the present work, we are interested in a numerical study of the pressure losses of a PTC receiver tube. The analysis of these two parameters’ effects on the evolution of the pressure along the receiving tube, shows that the increase of the inlet pressure and the decrease of the flow rate lead to minimal pressure losses.

II. PRESSURE DROPS MODELS

The total two-phase pressure drop ($\Delta P_{tp}$) in a boiling system consists of three components: the acceleration pressure drop ($\Delta P_{acc}$), gravitational pressure drop ($\Delta P_{grav}$) and frictional pressure drop ($\Delta P_{fr}$). The total pressure drop is then given by:

$$\Delta P_{tp} = \Delta P_{grav} + \Delta P_{acc} + \Delta P_{fr}$$

The gravitational pressure drop is null in a horizontal flow. So:

$$\Delta P_{tp} = \Delta P_{acc} + \Delta P_{fr}$$

The pressure drop due to the acceleration of the fluid is estimated from the model of the separate flows as presented in [6]. It is expressed as follows:

$$\Delta P_{acc} = G^2 \left\{ \left(\frac{1-x}{\rho_g} \right)^2 + \frac{x^2}{\rho_l} \right\}_{out} - \left\{ \left(\frac{1-x}{\rho_g} \right)^2 + \frac{x^2}{\rho_l} \right\}_{in}$$

where $\rho_l$ and $\rho_g$ are respectively the density of liquid and gas, G is the total mass velocity and $x$ is the quality of the vapor.

The void fraction $\varepsilon$ is evaluated by semi-empirical correlations. Several works [7]-[10] recommend the use of the Steiner correlation [11] which is expressed by:

$$\varepsilon = \frac{x}{\rho_g} \left[ 1 + 0.12 (1-x) \right] \left( \frac{x}{\rho_g} + \left(\frac{1-x}{\rho_l} \right)^{1.18(1-x)[\sigma(\rho_l-\rho_g)^{1/3}]} \right]^{-1}$$

with $\sigma$ is the surface tension and $g$ is the gravity acceleration.

The pressure drop due to the friction at the wall is the most important. It is predicted by empirical approaches, the most cited being those developed by [1]-[5] which are presented in Table I.

III. COMPARISON OF MODELS

To evaluate the pressure drops, we adopt the steam quality distributions obtained numerically by [12] (Fig. 1). The geometry and operating conditions are given in Table II.

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TABLE I

MODELS OF PRESSURE DROPS DUE TO FRICTION

<table>
<thead>
<tr>
<th>Authors</th>
<th>Models</th>
<th>Detailed</th>
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<tbody>
<tr>
<td>Lockhart and</td>
<td>$\Delta P_{\text{fr}} = \Phi^2 \Delta P_{\text{monoph}} = \Phi^2 \Delta P_l = \Phi^2 \Delta P_v$</td>
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<tr>
<td>Martinelli</td>
<td>$\Phi^2_l = 1 + \frac{\epsilon}{2} + \frac{1}{\kappa}$</td>
<td></td>
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<tr>
<td></td>
<td>$\Phi^2_v = 1 + \frac{\epsilon}{2} + \frac{1}{\kappa}$</td>
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<tr>
<td></td>
<td>$\Delta P_l = 4 f_i \left(\frac{1}{\beta}\right) G^2 (1 - x)^2 \left(\frac{1}{\gamma}\right)$</td>
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<td></td>
<td>$\Delta P_v = 4 f_v \left(\frac{1}{\beta}\right) G^2 x^2 \left(\frac{1}{\gamma}\right)$</td>
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<tr>
<td>Grönnerud</td>
<td>$\Delta P_{\text{fr}} = \Phi \Delta P_{\text{in}}$</td>
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<tr>
<td></td>
<td>$\Phi = 1 + \frac{\epsilon}{2} + \frac{1}{\kappa}$</td>
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<tr>
<td></td>
<td>$\Delta P_{\text{in}} = 4 f_i \left[ \frac{x}{\beta} \right] G^2 \left(\frac{1}{\gamma}\right)$</td>
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<td></td>
<td>$\Delta P_{\text{out}} = 4 f_v \left[ \frac{x}{\beta} \right] G^2 \left(\frac{1}{\gamma}\right)$</td>
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<tr>
<td>Chisholm</td>
<td>$\Delta P_{\text{fr}} = \Phi \Delta P_{\text{in}}$</td>
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<td></td>
<td>$\Phi = 1 + \left(Y^2 - 1\right) \left[ B_{\text{ch}} x (1-x) \right]^{(2-n)/2} + x^{2-n}$</td>
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<tr>
<td></td>
<td>$n$ is the exponent of the expression of the friction factor of Blasius ($n = 0.25$). The $Y^2$ parameter is expressed as follows:</td>
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<td></td>
<td>$Y^2 = \left(\frac{\rho_{\text{in}}}{\rho_{\text{out}}}\right) \left[ \frac{\rho_{\text{in}}}{\rho_{\text{out}}} \right]_i$</td>
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</tr>
<tr>
<td></td>
<td>$\Delta P_{\text{in}}$ is evaluated by (15) and (20).</td>
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<tr>
<td>Friedel</td>
<td>$\Delta P_{\text{fr}} = \Phi \Delta P_{\text{in}}$</td>
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<tr>
<td></td>
<td>$\Phi = \frac{E \rho_{\text{in}}}{\rho_{\text{out}} \rho_{\text{fr}}}$</td>
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<tr>
<td></td>
<td>$\Delta P_{\text{in}}$ is evaluated by (15) and (20).</td>
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</tr>
</tbody>
</table>

The friction factors of liquid ($f_i$) and vapor ($f_v$) are calculated using the Blasius formula:

$$ f_i = \frac{0.079}{\beta \gamma_{\text{in}}} \text{ with } Re_i = \frac{G}{\rho_{\text{in}} \gamma_{\text{in}}} $$

(11)

The pressure gradient defined by Grönnerud:

$$ \Phi = 1 + \left(Y^2 - 1\right) \left[ B_{\text{ch}} x (1-x) \right]^{(2-n)/2} + x^{2-n} $$

(23)

The friction factors of liquid alone ($f_{\text{in}}$) and vapor alone ($f_{\text{out}}$) are calculated using the Blasius relation:

$$ f_{\text{in}} = \frac{0.079}{\beta \gamma_{\text{in}}} \text{ with } Re_{\text{in}} = \frac{G}{\rho_{\text{in}} \gamma_{\text{in}}} $$

(20)

$$ f_{\text{out}} = \frac{0.079}{\beta \gamma_{\text{out}}} \text{ with } Re_{\text{out}} = \frac{G}{\rho_{\text{out}} \gamma_{\text{out}}} $$

(21)

$$ B_{\text{ch}} = \frac{55}{\gamma_{\text{in}}} \text{ for } G \geq 1900 \text{ kg/cm}^2 \text{s} $$

(25)

$$ B_{\text{ch}} = \frac{2400}{\gamma_{\text{in}}} \text{ for } 500 < G < 1900 \text{ kg/cm}^2 \text{s} $$

(26)

$$ B_{\text{ch}} = 4.8 \text{ for } G \leq 500 \text{ kg/cm}^2 \text{s} $$

(27)

$$ B_{\text{ch}} = \frac{520}{\gamma_{\text{in}}} \text{ for } G \leq 600 \text{ kg/g/cm}^2 $$

(28)

$$ B_{\text{ch}} = \frac{21}{\gamma_{\text{in}}} \text{ for } G > 600 \text{ kg/g/cm}^2 $$

(29)

$$ B_{\text{ch}} = \frac{15000}{\gamma_{\text{in}}} \text{ for } G \geq 28 $$

(30)
Fig. 1 Distributions of the steam quality obtained by David et al. [12]

Fig. 2 illustrates the evolution of the pressure of the liquid-vapor mixture along the receiver tube of a CCP-PDV, as a function of the steam quality, for the various models described above.

The different models represent the same usual trend, which results in a decrease of the pressure when the length of the pipe increases and consequently when the quality increases. The maximum difference between these models is 0.3%, 0.6% and 3.1% respectively for cases 1, 2 and 3. The comparison of these models with experimental data [12] shows that the Friedel model [4] is the closest to the experiment for cases 1 and 2 (inlet pressure and flow rate of 10.20 MPa and 0.62 kg/s; 6.23 MPa and 0.50 kg/s) while the Chisholm model [3] gives the best prediction of the pressure drop for the third case (pressure and inlet flow of 3.38 MPa and 0.47 kg/s).
Fig. 2 The evolution of the pressure as a function of the steam quality for different models for the three cases studied.

According to our study, the Friedel model [4] is the most suitable for the prediction of friction losses for most of the studied operating conditions, which is also recommended by other studies [13]–[15].

IV. ANALYSIS OF PRESSURE EVOLUTION

According to the comparison of the pressure drop models, the Friedel model is adopted, in order to analyze the effects of the inlet pressure and flow rate on the pressure evolution along the PTC-DSG receiving tube.

A. Input Flow Rate Effect

In order to take the effect of the input mass flow rate on the pressure evolution in the CCP-PDV receiver tube, we vary the mass flow (0.4, 0.5, 0.6 kg/s) with an inlet pressure of 6.19 MPa.

Fig. 3 illustrates the pressure evolution in the PTC-DSG receiver tube as a function of steam quality for different input flow rate. We notice that for the low quality, the input mass flow does not have a great effect. However, this effect becomes important when the quality increases. The increase in inlet flow rate increases the pressure drops, and consequently, the pressure decreases.

B. Effect of Inlet Pressure

In order to analyze also the effect of the inlet pressure on the evolution of the pressure along the PTC-DSG receiver tube, the inlet pressure is varied from 3MPa to 10MPa for a flow rate of 0.6kg/s. The pressure losses in the PTC-DSG receiver tube as a function of steam quality for the different inlet pressure values are plotted in Fig. 4 (b). The pressure drops increase by increasing the steam quality. This increase becomes important when the inlet pressure decreases. So the increase in the inlet pressure ensures minimal pressure drops.
V. CONCLUSION

In this work, different models describing the pressure drops in a liquid-vapor flow are presented. The calculations concern the evolution of the pressure of the liquid-vapor mixture along the receiver tube of a PTC-DSG. The pressure decreases by increasing the steam quality for all models with a small gap between them. Comparison of these models with the experimental data shows that the Friedel model [4] is closest to the experiment for high inlet pressures and flow rates whereas the Chisholm model [3] gives the best prediction of the pressure drop for a low inlet pressure and flow rate. The analysis of the effects of inlet pressure and flow rate on the evolution of the pressure along the PTC-DSG receiving tube shows that the increase of the inlet pressure and the decrease of the inlet flow rate ensure losses minimum charge.

REFERENCES