UPFC Supplementary Controller Design Using Real-Coded Genetic Algorithm for Damping Low Frequency Oscillations in Power Systems

A.K. Baliaarsingh, S. Panda, A.K. Mohanty, C. Ardil

Abstract—This paper presents a systematic approach for designing Unified Power Flow Controller (UPFC) based supplementary damping controllers for damping low frequency oscillations in a single-machine infinite-bus power system. Detailed investigations have been carried out considering the four alternatives UPFC based damping controller namely modulating index of series inverter \((m_b)\), modulating index of shunt inverter \((m_e)\), phase angle of series inverter \((\delta_b)\) and phase angle of the shunt inverter \((\delta_e)\). The design problem of the proposed controllers is formulated as an optimization problem and Real-Coded Genetic Algorithm (RCGA) is employed to optimize damping controller parameters. Simulation results are presented and compared with a conventional method of tuning the damping controller parameters to show the effectiveness and robustness of the proposed design approach.

Keywords—Power System Oscillations, Real-Coded Genetic Algorithm (RCGA), Flexible AC Transmission Systems (FACTS), Unified Power Flow Controller (UPFC), Damping Controller.

I. INTRODUCTION

The main causes of the power systems to be operated near their stability limits is due to the fact that power systems are today much more loaded than before as power demand grows rapidly and expansion in transmission and generation is restricted with the limited availability of resources and the strict environmental constraints. In few occasions interconnection between remotely located power systems gives rise to low frequency oscillations in the range of 0.2-3.0 Hz. These low frequency oscillations are also observed when large power systems are interconnected by relatively weak tie lines. If the system is not well damped, these oscillations may keep increasing in magnitude until loss of synchronism results [1]. The installation of Power System Stabilizer (PSS) is both economical and effective; in order to damp these power system oscillations and increase system oscillations stability. During the last decade, continuous and fast improvement of power electronics technology has made Flexible AC Transmission Systems (FACTS) a promising concept for power system applications [2-4]. With the application of FACTS technology, power flow along transmission lines can be more flexibly controlled. Due to the fact of the extremely fast control action is associated with FACTS-device operations, they have been very promising candidates for utilization in power system damping enhancement. The Unified Power Flow Controller (UPFC) is regarded as one of the most versatile devices in the FACTS device family [5-6] which has the capability to control of the power flow in the transmission line, improve the transient stability, alleviate system oscillation and offer voltage support. UPFC can provide simultaneous and independent control of important power system parameters: line active power flow, line reactive power flow, impedance; and voltage. In that way, it offers the essential functional flexibility for the collective application of phase angle control with controlled series and shunt compensation [2].

A conventional lead-lag controller structure is preferred by the power system utilities because of the ease of on-line tuning and also lack of assurance of the stability by some adaptive or variable structure techniques [7-10]. Traditionally, for the small signal stability studies of a power system, the linear model of Phillips-Heffron has been used for years, providing reliable results [1]. Although the model is a linear model, it is quite accurate for studying low frequency oscillations and stability of power systems [11-12]. The problem of UPFC damping controller parameter tuning is a complex exercise. A number of conventional techniques have been reported in the literature pertaining to design problems of conventional power system stabilizers namely the pole placement technique [13], phase compensation/root locus technique [14-15], residue compensation [16], and also the modern control theory. Unfortunately, the conventional techniques are time consuming as they are iterative and require heavy computation burden and slow convergence. In addition, the search process is susceptible to be trapped in local minima and the solution obtained may not be optimal. Also, the designed controller should provide some degree of robustness to the variations loading conditions, and configurations as the machine parameters change with operating conditions. A set of controller parameters which stabilise the system under a certain operating condition may no longer yield satisfactory results when there is a drastic change in power system
operating conditions and configurations [12].

In recent years, one of the most promising research fields has been “Evolutionary Techniques”, an area utilizing analogies with nature or social systems. These techniques constitute an approach to search for the optimum solutions via some form of directed random search process. Evolutionary techniques are finding popularity within research community as design tools and problem solvers because of their versatility and ability to optimize in complex multimodal search spaces applied to non-differentiable objective functions.

Recently, Genetic Algorithm (GA) appeared as a promising evolutionary technique for handling the optimization problems [17]. GA has been popular in academia and the industry mainly because of its intuitiveness, ease of implementation, and the ability to effectively solve highly nonlinear, mixed integer optimisation problems that are typical of complex engineering systems. It has been reported in the literature that Real-Coded Genetic Algorithm (RCGA) is more efficient in terms of CPU time and offers higher precision with more consistent results [8, 18-21]. In view of the above, this paper proposes to use RCGA optimization technique for the damping controller design. For the proposed controller design, a time-domain based employing integral of time multiplied by speed deviation error has been employed. The optimal UPFC controller parameters are obtained employing RCGA. The proposed damping controllers are tested on a weakly connected power system with different disturbances with parameter variations. Simulation results are presented and compared with a conventional tuning technique to show the effectiveness and robustness of the proposed approach.

The reminder of the paper is organized in five major sections. Power system modeling with the proposed UPFC-based supplementary damping controller is presented in Section II. The design problem and the objective function are presented in section III. In Section IV, an overview of RCGA is presented. The results are presented and discussed in Section V. Finally, in Section VI conclusions are given.

II. MODELING THE POWER SYSTEM WITH UPFC DAMPING CONTROLLER

The single-machine infinite-bus (SMIB) power system installed with a UPFC as shown in Fig. 1 is considered in this study. The UPFC is installed in one of the two parallel transmission lines. This arrangement, comprising two parallel transmission lines, permits the control of real and reactive power flow through a line. The static excitation system, model type IEEE-STIA, has been considered. The UPFC is assumed to be based, on pulse width modulation (PWM) converters. The nominal loading condition and system parameters are even in Appendix 1.

A. Non-Linear Equations

The non-linear differential equations of the SMIB system with UPFC is obtained by neglecting the resistances of the components of the system (i.e. generator, transformer, transmission lines, and shunt and series converter transformers) and the transient associated with the stator of the synchronous generator, transmission lines and transformers of the UPFC. The nonlinear dynamic model of the system with UPFC is given below [22-23]:

\[ \delta = \omega_r (\omega - 1) \]  

(1)
\[ \omega = \frac{(P_m - P_e - D\Delta \omega)}{M} \]

\[ E_q = \frac{1}{T_{do}} [-E_q + E_{fd}] \]

\[ E_{fd} = \frac{K_A}{1 + sT_A} [V_{ref} - V_t] \]

\[ V_{dc} = \frac{3m_E}{4C_{dc}} \left( I_{Ed} \sin \delta_E + I_{Eq} \cos \delta_E \right) \]

\[ + \frac{3m_B}{4C_{dc}} \left( I_{Bd} \sin \delta_B + I_{Bq} \cos \delta_B \right) \]

where,

\[ P_e = V_{id} I_{id} + V_{iq} I_{iq} \]

\[ E_q = E_q' + (X_d - X_{d'}) I_{id} \]

\[ V_i = V_{id} + jV_{iq} \]

\[ V_t = X_q I_{iq} \]

\[ V_{iq} = E_q' - X_{d'} I_{id} \]

\[ I_{id} = I_{ild} + I_{Ed} + I_{Bd} \]

\[ I_{ild} = \frac{X_T}{X_T} I_{Ed} + \frac{1}{X_T} \frac{m_E V_{dc}}{2} \cos \delta_E \]

\[ - \frac{1}{X_T} V_b \cos \delta \]

\[ I_{ilq} = \frac{X_E}{X_T} I_{Eq} - \frac{1}{X_T} \frac{m_E V_{dc}}{2} \sin \delta_E \]

\[ + \frac{1}{X_T} V_b \sin \delta \]

\[ I_{Ed} = \frac{(X_{dE} + X_{BB} X_{B2})}{X_{dE}} V_b \cos \delta \]

\[ - \frac{(X_{dE} + X_{BB} X_{B2})}{X_{dE}} \frac{m_E V_{dc}}{2} \cos \delta_E \]

\[ + \frac{X_{BB}}{X_{dE}} E_q' - \frac{X_{dE}}{X_{dE}} \frac{m_B V_{dc}}{2} \cos \delta_B \]

\[ R_e \left( \overline{V_B I_B^*} + \overline{V_E I_E^*} \right) = 0 \]

\[ I_{Eq} = \frac{(X_{qT} + X_{BB} X_a)}{X_{qE}} V_b \sin \delta \]

\[ - \frac{(X_{qT} + X_{BB} X_a)}{X_{qE}} \frac{m_E V_{dc}}{2} \sin \delta_E \]

\[ - \frac{X_{qT} m_B V_{dc}}{2} \sin \delta_B \]

\[ I_{Bd} = \frac{1}{X_{de}} \left( X_E E_q' + (X_{b1} - X_{E} X_{b2}) \right) \]

\[ \frac{m_E V_{dc}}{2} \cos \delta_E + \frac{(X_{b3} X_{E} - X_{b1})}{X_{qE}} V_b \cos \delta \]

\[ + X_{b1} \frac{m_B V_{dc}}{2} \sin \delta_B \]

\[ I_{Bq} = \frac{1}{X_{qE}} \left[ \frac{(X_{a1} - X_{E} X_{a2})}{X_{qE}} \frac{m_E V_{dc}}{2} \sin \delta_E \right] \]

\[ + \frac{(X_{a3} X_{E} - X_{a1})}{X_{qE}} V_b \sin \delta \]

\[ + X_{a1} \frac{m_B V_{dc}}{2} \sin \delta_B \]

The variables used in the above equations are defined as:

\[ X_{qT} = X_q + X_{IE} ; X_{dS} = X_{IE} + X_{d'} + X_E ; \]

\[ X_{qs} = X_q + X_{IE} + X_E ; \]

\[ X_{a1} = \frac{X_{qT} X_E + X_{qT} X_E}{X_T} ; X_{a2} = 1 + \frac{X_{qT}}{X_T} ; \]

\[ X_{a3} = \frac{X_{qT}}{X_T} ; X_{b1} = \frac{(X_{ds} X_{IE} + X_{dE} X_{IE})}{X_T} ; \]

\[ X_{b2} = 1 + \frac{X_{dE}}{X_T} ; X_{b3} = \frac{X_{dE}}{X_T} \]

The equation for the real power balance between the series and shunt converters is
B. Linearized Equations

In the design of electromechanical mode damping stabilizer, a linearized incremental model around an operating point is usually employed. The Phillips-Heffron model of the power system with FACTS devices is obtained by linearizing the set of equations (1) around an operating condition of the power system. The linearized expressions are as follows [22-23]:

\[
\Delta \delta = \omega_0 \Delta \omega
\]

\[
\Delta \omega' = \left( \Delta P_m - \Delta P_e - D \Delta \omega \right) / M
\]

\[
\Delta E' = \left( - \Delta E_q' + \Delta E_{fd} \right) / T_{do}
\]

\[
\Delta V_{dc} = K_7 \Delta \delta + K_8 \Delta E_q' - K_9 \Delta V_{dc} + K_{ce} \Delta m_E + K_{c\theta} \Delta \delta_E + K_{cb} \Delta m_B + K_{c\theta} \Delta \delta_B
\]

where,

\[
\Delta P_e = K_1 \Delta \delta + K_2 \Delta E_q' + K_{pe} \Delta m_E + K_{p\delta} \Delta \delta_E + K_{pd} \Delta V_{dc}
\]

\[
\Delta E_q = K_4 \Delta \delta + K_3 \Delta E_q' + K_{qe} \Delta m_E + K_{q\delta} \Delta \delta_E + K_{q\delta} \Delta \delta_B + K_{qd} \Delta V_{dc}
\]

\[
\Delta V_{fd} = K_5 \Delta \delta + K_6 \Delta E_q' + K_{ve} \Delta m_E + K_{v\theta} \Delta \delta_E + K_{vb} \Delta m_B + K_{v\theta} \Delta \delta_B + K_{vd} \Delta V_{dc}
\]

The modified Phillips-Heffron model of the single-machine infinite-bus (SMIB) power system with UPFC-based damping controller is obtained using linearized equation set (2). The corresponding block diagram model is shown in Fig. 2. The modified Heffron-Phillips model has 28 constants as compared to 6 constants in the original Heffron-Phillips model of the SMIB system. These constants are functions of the system parameters and initial operating condition.

By controlling \( m_B \), the magnitude of series injected voltage can be controlled, by controlling \( \delta_B \), the phase angle of series injected voltage can be controlled, by controlling \( m_E \), the output voltage of the shunt converter can be controlled and by controlling \( \delta_E \), the phase angle of output voltage of the shunt converter can be controlled. The series and shunt converter are controlled in a coordinated manner to ensure real power output of the shunt converter is equal to the real power input to the series converter. The constancy of the DC voltage ensures that this equality is maintained.

In Fig 2, the row vectors \([K_{pu}],[K_{qu}],[K_{vu}]\) and \([K_{cu}]\) are defined as:

\[
[K_{pu}] = [K_{pc} \ K_{p\delta} \ K_{pb} \ K_{p\theta}]
\]

\[
[K_{qu}] = [K_{qe} \ K_{q\delta} \ K_{qb} \ K_{q\theta}]
\]

\[
[K_{vu}] = [K_{ve} \ K_{v\delta} \ K_{vb} \ K_{v\theta}]
\]

\[
[K_{cu}] = [K_{ce} \ K_{c\delta} \ K_{cb} \ K_{c\theta}]
\]

The control vector \([\Delta u]\) is the column vector defined as follows:

\[
[\Delta u] = [\Delta m_E \ \Delta \delta_E \ \Delta m_B \ \Delta \delta_B]^T
\]

where,

\[
\Delta m_B - \text{Deviation in modulation index} \ m_B \ \text{of series converter.}
\]

\[
\Delta \delta_B - \text{Deviation in phase angle of the injected voltage.}
\]

\[
\Delta m_E - \text{Deviation in modulation index} \ m_E \ \text{of shunt converter.}
\]

\[
\Delta \delta_E - \text{Deviation in phase angle of the shunt converter voltage.}
\]

III. THE PROPOSED APPROACH

A. Structure of UPFC-based Damping Controller

The commonly used lead–lag structure is chosen in this study as UPFC-based supplementary damping controller as shown in Fig. 3. The structure consists of a gain block; a signal washout block and two-stage phase compensation block. The phase compensation block provides the appropriate phase-lead characteristics to compensate for the phase lag between input and the output signals. The signal washout block serves as a high-pass filter which allows signals associated with oscillations in input signal to pass unchanged. Without it steady changes in input would modify the output. The input signal of the proposed UPFC-based controller is the speed deviation \( \Delta \omega \) and the output is the change in control vector \([\Delta u]\). From the viewpoint of the washout function the value of washout time constant is not critical in lead-lag structured controllers and may be in the range 1 to 20 seconds [1].
Fig. 2 Modified Heffron-Phillips model of SMIB system with UPFC

Fig. 3. Structure of the UPFC-based damping controller

From the viewpoint of the washout function the value of washout time constant is not critical in lead-lag structured controllers and may be in the range 1 to 20 seconds [1]. In the present study, a washout time constant of $WTK = 10\ s$ is used. The controller gains $K_T$; and the time constants $T_1$, $T_2$, $T_3$ and $T_4$ are to be determined.

**B. Objective Function**

Tuning a controller parameter can be viewed as an optimization problem in multi-modal space as many settings of the controller could be yielding good performance. Traditional method of tuning doesn’t guarantee optimal parameters and in most cases the tuned parameters need improvement through trial and error. The aim of any evolutionary optimization technique is basically to optimize (minimize/maximize) an objective function or fitness function satisfying the constraints of either state or control variable or both depending upon the requirement. It is worth mentioning that the UPFC-based controllers are designed to minimize the power system oscillations after a disturbance so as to improve the stability. These oscillations are reflected in the deviation in the generator rotor speed ($\Delta\omega$). In the present study, an integral time absolute error of the speed deviations is taken as the objective function $J$, expressed as:

$$J = \int_{t_0}^{t_1} |t| |e(t)| \, dt \quad (28)$$

Where, ‘$e$’ is the error signal ($\Delta\omega$) and $t_1$ is the time range of simulation. The parameters of the damping controller are obtained using RCGA. A brief overview of RCGA is presented in the next section.

**IV. OVERVIEW OF REAL-CODED GENETIC ALGORITHM**

Genetic Algorithm (GA) can be viewed as a general-purpose search method, an optimization method, or a learning mechanism, based loosely on Darwinian principles of biological evolution, reproduction and “the survival of the fittest.” GA maintains a set of candidate solutions called population and repeatedly modifies them. At each step, the GA selects individuals at random from the current population...
to be parents and uses them to produce the children for the next generation. Candidate solutions are usually represented as strings of fixed length, called chromosomes.

Given a random initial population GA operates in cycles called generations, as follows [13]:

- Each member of the population is evaluated using an objective function or fitness function.
- The population undergoes reproduction in a number of iterations. One or more parents are chosen stochastically, but strings with higher fitness values have higher probability of contributing an offspring.
- Genetic operators, such as crossover and mutation, are applied to parents to produce offspring.
- The offspring are inserted into the population and the process is repeated.

Over successive generations, the population “evolves” toward an optimal solution. GA can be applied to solve a variety of optimization problems that are not well suited for standard optimization algorithms, including problems in which the objective function is discontinuous, nondifferentiable, stochastic, or highly nonlinear. GA has been used to solve difficult engineering problems that are complex and difficult to solve by conventional optimization methods.

Implementation of GA requires the determination of six fundamental issues: chromosome representation, selection function, the genetic operators, initialization and termination, and evaluation function. Brief descriptions about these issues are provided in the following sections [8, 18-21].

A. Chromosome representation

Chromosome representation scheme determines how the problem is structured in the GA and also determines the genetic operators that are used. Each individual or chromosome is made up of a sequence of genes. Various types of representations of an individual or chromosome are: binary digits, floating point numbers, integers, real values, matrices, etc. Generally natural representations are more efficient and produce better solutions. Real-coded representation is more efficient in terms of CPU time and offers higher precision with more consistent results.

B. Selection function

To produce successive generations, selection of individuals plays a very significant role in a genetic algorithm. The selection function determines which of the individuals will survive and move on to the next generation. A probabilistic selection is performed based upon the individual’s fitness such that the superior individuals have more chance of being selected. There are several schemes for the selection process: roulette wheel selection and its extensions, scaling techniques, tournament, normal geometric, elitist models and ranking methods.

The selection approach assigns a probability of selection \( P_i \) to each individuals based on its fitness value. In the present study, normalized geometric selection function has been used. In normalized geometric ranking, the probability of selecting an individual \( P_i \) is defined as:

\[
P_i = q \left(1 - q\right)^{-1}
\]

where,

\[
q = \frac{r}{1 - (1 - q)^r}
\]

and

\[
\frac{r}{1 - (1 - q)^r} \leq 1
\]

\[
r = \text{probability of selecting the best individual}
\]

\[
r = \text{rank of the individual (with best equals 1)}
\]

\[
P = \text{population size}
\]

C. Genetic operators

The basic search mechanism of the GA is provided by the genetic operators. There are two basic types of operators: crossover and mutation. These operators are used to produce new solutions based on existing solutions in the population. Crossover takes two individuals to be parents and produces two new individuals while mutation alters one individual to produce a single new solution. The following genetic operators are usually employed: simple crossover, arithmetic crossover and heuristic crossover as crossover operator and uniform mutation, non-uniform mutation, multi-non-uniform mutation, boundary mutation as mutation operator. Arithmetic crossover and non-uniform mutation are employed in the present study as genetic operators. Crossover generates a random number \( r \) from a uniform distribution from 1 to m and creates two new individuals by using equations:

\[
x_i = \begin{cases} x_i & \text{if } i < r \\ y_i & \text{otherwise} \end{cases}
\]

\[
y_i = \begin{cases} y_i & \text{if } i < r \\ x_i & \text{otherwise} \end{cases}
\]

Arithmetic crossover produces two complimentary linear combinations of the parents, where \( r = U(0, 1) \):

\[
\text{if } G_f a x x
\]

\[
\text{if } G_f a x x
\]

Non-uniform mutation randomly selects one variable \( j \) and sets it equal to a non-uniform random number:

\[
x_i = \begin{cases} x_i + \left(b_i - x_i\right) f(G) & \text{if } r_1 < 0.5, \\ x_i + \left(x_i + a_i\right) f(G) & \text{if } r_1 \geq 0.5, \\ x_i, & \text{otherwise} \end{cases}
\]

where,

\[
f(G) = \left(r_2 \left(1 - \frac{G}{G_{\text{max}}}\right)\right)^b
\]

\( r_1, r_2 = \text{uniform random nos. between 0 to 1.} \)
\( G \) = current generation.
\( G_{\text{max}} \) = maximum no. of generations.
\( b \) = shape parameter.

D. Initialization, termination and evaluation function

An initial population is needed to start the genetic algorithm procedure. The initial population can be randomly generated or can be taken from other methods. GA moves from generation to generation until a stopping criterion is met. The stopping criterion could be maximum number of generations, population convergence criteria, lack of improvement in the best solution over a specified number of generations or target value for the objective function.

Evaluation functions or objective functions of many forms can be used in a GA so that the function can map the population into a partially ordered set.

V. RESULTS AND DISCUSSIONS

A. Application of RCGA

The optimization of the proposed UPFC-based supplementary damping controller parameters is carried out by minimizing the fitness given in equation (28) employing RCGA. For the implementation of RCGA normal geometric selection is employed which is a ranking selection function based on the normalized geometric distribution. Arithmetic crossover takes two parents and performs an interpolation along the line formed by the two parents. Non uniform mutation changes one of the parameters of the parent based on a non-uniform probability distribution. This Gaussian distribution starts wide, and narrows to a point distribution as the current generation approaches the maximum generation.

The model of the system under study has been developed in MATLAB/SIMULINK environment and RCGA programme has been written (in .mfile). For objective function calculation, the developed model is simulated in a separate programme (by .m file using initial population/controller parameters) considering a severe disturbance. The process is repeated for each individual in the population. For objective function calculation, a 10% increase in mechanical power input is considered. Using the objective function values, the population is modified by RCGA for the next generation.

The flow chart of proposed optimization algorithm is shown in Fig. 4. For different problems, it is possible that the same parameters for GA do not give the best solution and so these can be changed according to the situation. One more important point that affects the optimal solution more or less is the range for unknowns. For the very first execution of the program, more wide solution space can be given and after getting the solution one can shorten the solution space nearer to the values obtained in the previous iteration. The parameters employed for the implementations of RCGA in the present study are given in Table I. Optimization were performed with the total number of generations set to 100. The optimization processes is run 20 times for both the control signals and best among the 20 runs are provided in the Table II.

![Flowchart of RCGA optimization process to optimally tune the controller parameters](image-url)

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Value/Type</th>
</tr>
</thead>
<tbody>
<tr>
<td>Maximum generations</td>
<td>100</td>
</tr>
<tr>
<td>Population size</td>
<td>50</td>
</tr>
<tr>
<td>Type of selection</td>
<td>Normal geometric [0 0.08]</td>
</tr>
<tr>
<td>Type of crossover</td>
<td>Arithmetic [2]</td>
</tr>
<tr>
<td>Type of mutation</td>
<td>Nonuniform [2 100 3]</td>
</tr>
<tr>
<td>Termination method</td>
<td>Maximum generation</td>
</tr>
</tbody>
</table>

![Table of optimized UPFC-based damping controller parameters](table-url)

<table>
<thead>
<tr>
<th>Damping controller</th>
<th>( K_T )</th>
<th>( T_1 )</th>
<th>( T_2 )</th>
<th>( T_3 )</th>
<th>( T_4 )</th>
</tr>
</thead>
<tbody>
<tr>
<td>( m_B ) - based</td>
<td>89.3312</td>
<td>0.2774</td>
<td>0.3217</td>
<td>0.3294</td>
<td>0.3538</td>
</tr>
<tr>
<td>( \delta_B ) - based</td>
<td>34.1934</td>
<td>0.1650</td>
<td>0.1173</td>
<td>0.1385</td>
<td>0.3603</td>
</tr>
<tr>
<td>( m_E ) - based</td>
<td>19.2086</td>
<td>0.5494</td>
<td>0.4874</td>
<td>0.3656</td>
<td>0.3269</td>
</tr>
<tr>
<td>( \delta_E ) - based</td>
<td>29.0276</td>
<td>0.1090</td>
<td>0.2463</td>
<td>0.2416</td>
<td>0.2367</td>
</tr>
</tbody>
</table>
B. Simulation Results

To assess the effectiveness and robustness of the proposed damping controllers various disturbances and parameter variations are considered. The performance of the proposed controllers is compared with a published [15] conventional design technique (phase compensation technique). The response with out controller is shown in dashed lines (with legend “WC”) and the response with conventional phase compensation technique tuned UPFC-based damping controller is shown dotted lines (with legend “PCT”). The responses with proposed RCGA optimized UPFC-based damping controller are shown in solid lines (with legend ‘RCGA’).

**Case I: \( m_B \) - based UPFC damping controller**

A 10% step increase in mechanical power input at \( t = 1.0 \) s is assumed. The system speed and electrical power deviation response for the above contingency are shown in Figs. 5-6. It is clear from Figs. that without control the system is oscillatory and becomes unstable. Stability of the system is maintained and power system oscillations are effectively damped out with \( m_B \) - based UPFC damping controller. It can also be seen from Figs. that the performance of the system is better with the proposed RCGA optimized damping controller compared to the conventionally designed controller.

**Case II: \( \delta_B \) - based UPFC damping controller**

The performance of the system for the under same contingency (10% step increase in mechanical power input at \( t = 1.0 \) s) is verified with \( \delta_B \) - based UPFC damping controller and the system response is shown in Figs. 7-8. It can be observed from Figs. that the performance of the system is better with the proposed RCGA optimized damping controller compared to the conventionally designed controller.

**Case III: \( m_E \) - based UPFC damping controller**

The performance of the system for the under same contingency (10% step increase in mechanical power input at \( t = 1.0 \) s) is demonstrated with \( m_E \) - based UPFC damping controller. It can also be seen from the system response shown in Figs. 9-10 that the performance of the system is slightly better with the proposed RCGA optimized \( m_E \) - based UPFC damping controller compared to the conventional phase compensation technique based designed of \( m_E \) - based UPFC damping controller.
Case IV: $\delta_E$ - based UPFC damping controller

Figs. 11-12 show the system response for the same contingency with $\delta_E$ - based UPFC damping controller from which it can be seen that the proposed RCGA optimized $\delta_E$ - based UPFC damping controller performs better than the phase compensation technique tuned $\delta_E$ - based UPFC damping controller.

Case V: Comparison four alternative UPFC-based damping controllers

Figs. 13-14 shows the system dynamic response considering a step load increase of 10% and step load decrease of 5% respectively. It can be concluded from the Figs. that all four alternative damping controllers provide satisfactory damping performance for both increase and decrease in mechanical power input. However, the performance of $m_B$ - based UPFC damping controller seems to be slightly better among the four alternatives.
Case VI: Comparison four alternative UPFC-based damping controllers for step change in reference voltage

To test the robustness of the proposed approach, another disturbance is considered. The reference voltage is increased by 5% at t=1.0 and the system dynamic response with all four alternative damping controllers is shown in Fig. 15. It can be concluded from Fig. 15 that though all four alternative damping controllers provide satisfactory damping performance for the above contingency, the performance of $m_B$-based UPFC damping controller is slightly better among the four alternatives.

![Fig. 15. Speed deviation response for Case-VI (step increase in Vref)](image)

Case VII: Effect of parameter variation on the performance of UPFC-based damping controllers

In the design of damping controllers for any power system, it is extremely important to investigate the effect of variation of system parameters on the dynamic performance of the system. In order to examine the robustness of the damping controllers to variation in system parameters, a 25% decrease in machine inertia constant and 30% decrease of open circuit direct axis transient time constant is considered. The system response with the above parameter variations for a step increase in mechanical power is shown in Figs. 16-17 with all four alternative UPFC-based damping controllers.

![Fig. 16. Speed deviation response for Case-VII (25% decrease in M)](image)

![Fig. 17. Speed deviation response for Case-VII (30% decrease in T\text{\textprime}_{do})](image)

It can be concluded from these Figs. that all four alternative damping controllers provide satisfactory damping performance with parameter variation. However, the performance of $m_B$-based UPFC damping controller seems to be slightly better among the four alternatives.

VI. CONCLUSION

In this study, a real-coded genetic algorithm optimization technique is employed for the design of UPFC-based damping controllers. The design problem is transferred into an optimization problem and RCGA is employed to search for the optimal UPFC-based controller parameters. The performance of the four alternatives UPFC based damping controller namely modulating index of series inverter ($m_\text{\textprime}$), modulating index of shunt inverter ($m_\text{E}$), phase angle of series inverter ($\delta_\text{B}$) and phase angle of the shunt inverter ($\delta_\text{E}$) have been investigated under various disturbances and parameter variations. Simulation results are presented and compared with a conventional phase compensation technique for tuning the damping controller parameters to show the superiority of the proposed design approach. Investigations show that the damping control by changing the modulating index of series inverter ($m_\text{B}$), provide slightly better performance among the four alternatives.

APPENDIX

Static System data: All data are in pu unless specified otherwise.

Generator: $M = 8.0 \text{ s}, D = 0$, $X_d = 1.0$, $X_q = 0.6$, $X'_{\text{d}} = 0.3$, $T'_{\text{do}} = 5.044$, $P_\text{e} = 0.8$, $V_\text{f} = V_\text{b} = 1.0$

Excitor: $K_A = 100$, $T_A = 0.01 \text{ s}$

Transformer: $X_{IE} = 0.1$, $X_\text{E} = X_\text{B} = 0.1$

Transmission line: $X_{BV} = 0.3$, $X_e = 0.5$

UPFC parameters: $m_\text{E} = 0.4013$, $m_\text{B} = 0.0789$, $\delta_\text{E} = -85.3478^0$, $\delta_\text{B} = -78.2174^0$, $V_{\text{DC}} = 2.0$, $C_{\text{DC}} = 1.0$
REFERENCES


